

1 Relationships among Forearc Structure, Fault Slip, and Earthquake Magnitude: Numerical
2 Simulations with Applications to the Central Chilean Margin

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4 Xiaoyu Wang¹, Julia K. Morgan¹, Nathan Bangs²

5 ¹Department of Earth, Environmental and Planetary Sciences, Rice University, Houston, Texas,
6 USA.

7 ²Institute for Geophysics, University of Texas at Austin, Austin, USA

8 Corresponding author: Xiaoyu Wang (xw33@rice.edu)

9
10 **Key Points:**

11 Dimensions and frictional properties of the outer wedge affect earthquake magnitude and slip
12 distribution.

13 The 1960 Valdivia earthquake likely experienced its highest slip close to the trench.

14 Future seismic hazards may be predicted early by determining forearc structures.

15
16 **Keywords**

17 Discrete element models, South Central Chile Margin, Megathrust Earthquake, Friction, Outer
18 Wedge, Coseismic Slip, Seismic Hazard Assessment

19
20 **Abstract**

21 Two adjacent segments of the Chile margin exhibit significant differences in the earthquake
22 magnitude and rupture extents, reflected by the 1960 Valdivia and 2010 Maule earthquake. In
23 this study, we use the Discrete Element Method to explore the controls on megathrust fault slip
24 during the earthquake, informed by interpretations of the structure across these two segments.
25 We simulate the upper plate as wedges overlying megathrust faults that are divided into two
26 frictional domains, modeled after dynamic Coulomb wedge models. We find that the inner
27 wedge width strongly influences megathrust rupture extents. Our selected model yields a
28 reasonable fit to the published slip distributions for the 2010 Maule rupture. Our simulated slip
29 distributions suggest that the Valdivia earthquake likely experienced its highest slip close to the
30 trench, differing from published models. We also demonstrate how the frictional conditions
31 beneath the outer wedge can affect the size of megathrust earthquakes.

32

33 **Plain Language Summary**

34 The South-central Chilean margin is host to some of the largest megathrust earthquakes on Earth,
35 including the Mw 9.5 1960 Valdivia earthquake and the Mw 8.8 2010 Maule earthquake.
36 Although their earthquake rupture segments are very close to each other, the resulting
37 earthquakes are significantly different. In this study, we use the Discrete Element Method to
38 explore the controls on these differences. We use assemblages of discrete particles to simulate
39 wedges that define the two-dimensional subduction upper plate. Each wedge is partitioned into a
40 strong inner wedge, capable of supporting large elastic strains that can be released during
41 earthquakes, and a lower strength frontal domain that resists the earthquake rupture. We simulate
42 earthquake unloading by instantaneously reducing the basal friction beneath the inner wedge,
43 then document the resulting changes in geometry and stress throughout the wedge. We find that
44 the dimensions and frictional properties of the frontal domain affect earthquake size. Our models
45 yield reasonable fits to the modeled slip distributions for the 2010 Maule rupture. However,
46 differences between the Valdivia earthquake rupture models and our simulated slip distributions
47 suggest that the highest, slip during the earthquake, occurred close to the trench, in contrast to
48 published models.

49

50 **1 Introduction**

51 The South-central Chilean subduction margin is host to some of the largest megathrust
52 earthquakes on Earth, including the greatest ever recorded earthquake, the Mw 9.5 1960 Valdivia
53 earthquake. The largest earthquake along the margin since then was the Mw 8.8 2010 Maule
54 earthquake, which partially overlaps and extends farther north from the Valdivia rupture (Figure
55 1a). Despite the proximity of the two source areas, the earthquake magnitudes, rupture extents,
56 and efficiency of generating transoceanic tsunamis differ significantly between the 1960 and
57 2010 events. The 1960 Valdivia event ruptured a length of ~1000 km of the Nazca-South
58 America plate boundary along the strike from 37°S to 46°S (Figure 1a). The subsequent trans-
59 Pacific tsunami was so large that waves up to 25 m high reached the coast of Chile (Moreno *et*
60 *al.*, 2009; Contreras-Reyes *et al.*, 2010). By comparison, the 2010 Maule earthquake ruptured a
61 length of ~600 km from 33°S to 39°S (Figure 1a), producing a much smaller tsunami with
62 average waves of 10 m (Contreras-Reyes *et al.*, 2010; Moreno *et al.*, 2010). In addition, the
63 maximum coseismic slip triggered by the 1960 Valdivia earthquake was over 40 m (Moreno *et*
64 *al.*, 2009), whereas the maximum slip accompanying the 2010 Maule earthquake was estimated
65 to be ~20 m (Moreno *et al.*, 2010; Tong *et al.*, 2010). Furthermore, fault slip models for the 2010
66 Maule earthquake rupture suggested that the rupture did not extend to the trench (Delouis *et al.*,
67 2010; Moreno *et al.*, 2010; Tong *et al.*, 2010; Maksymowicz *et al.*, 2017). In contrast, although
68 dependent on poor quality data, tsunami models and joint displacement inversions suggested
69 trench-breaking coseismic rupture for the 1960 Valdivia earthquake (Barrientos and Ward, 1990;
70 Moreno *et al.*, 2009).

71 A plausible explanation for the difference in earthquake magnitudes and slip distributions
72 for these two events is along strike variations in the position of the updip seismic-aseismic
73 transition, and associated controls on earthquake magnitude (Wang and Hu, 2006; Contreras-
74 Reyes *et al.*, 2010). As shown in Figure 1b, the overlying forearc theoretically can be divided
75 into outer and inner wedges (Wang and Hu, 2006). The outer wedge, composed of relatively
76 young unconsolidated sediments, may define a velocity strengthening zone during earthquakes
77 (Scholz, 1998; Moore and Saffer, 2001). The inner wedge, consisting of older and stronger
78 accreted sediments and rock, is more prone to fault locking during the interseismic period, and
79 velocity weakening during earthquake ruptures (Wang and Hu, 2006). The boundary between the
80 inner and outer wedge can be defined by the location of the backstop (Contreras-Reyes *et al.*,

81 2010). Contreras-Reyes *et al.* (2010) interpreted that the dimension of the outer wedge in the
82 1960 rupture area is much smaller than the one in the 2010 rupture area (Table S1, Supporting
83 Information). Hence, there is an inverse correlation between the outer wedge dimension and
84 earthquake size (Wang and He, 2008; Contreras-Reyes *et al.*, 2010; Contreras-Reyes *et al.*,
85 2017). However, this hypothesis is based on limited data and uncertain interpretations of both
86 wedge width and earthquake slip. In particular, there are significant uncertainties about the true
87 slip distributions for the earthquakes (Langer, 2020). Furthermore, limited coverage and poor-
88 quality seismic records for the 1960 Valdivia earthquake make the derived slip distribution
89 further questionable.

90 Another factor that may play a key role in controlling the magnitude of the coseismic
91 rupture is the change in effective friction along the megathrust fault (Wang and Morgan, 2019).
92 In particular, the lateral variations in fault strength beneath the outer wedge may influence the
93 earthquake rupture behavior (Hu and Wang, 2008). However, we still have limited understanding
94 of the relative effects of frictional behavior and outer wedge width in determining earthquake
95 magnitude, and which may be responsible for the differences between the ruptures along the
96 Valdivia and Maule segments.

97 Building on recent modeling efforts investigating the controls on distributed extensional
98 deformation in the Japan Trench forearc following the Tohoku earthquake (Wang and Morgan,
99 2019), we use numerical simulations to understand potential connections between great
100 megathrust earthquakes, fault properties, and upper plate structure. This study seeks to 1)
101 determine the effect of position of the inner to outer wedge transition on earthquake slip
102 distribution for comparison to the 1960 Valdivia rupture; and 2) explore how frictional changes
103 beneath the outer wedge interact with outer wedge width to influence the magnitude of fault slip.

104

105 **2 Approach and Methodology**

106 RICEBAL, a Discrete-Element-method based program, is used to construct the models
107 used here. Details about the DEM methodology can be found in the supplementary materials, as
108 well as previous publications (Morgan, 2015; Wang and Morgan, 2019). The particle sizes and
109 their mechanical properties are tabulated in the supplementary materials (S1).

110 The initial wedge is constructed by randomly generating particles within a two-
111 dimensional 200 km wide domain and letting them settle under gravity. The settled particles are

112 then sculpted to the desired wedge shape with a starting taper angle of 12° ($\alpha+\beta$), based on
113 published geometries for the SC Chile Margin (Maksymowicz, 2015), and subjected to gravity
114 tilted at an angle of 8° from the vertical, simulating a fixed megathrust dip angle (β) of 8° . The
115 initial full length of the wedge is 200 km, comparable to the downdip rupture distance along the
116 central Chile Margin (Figure 1a). Following particle deposition and wedge sculpting, bonds are
117 added between particles in contact within the wedge to impart cohesion.

118 The wedge is divided into inner and outer wedge domains, distinguished by the assigned
119 values of basal friction on the underlying megathrust fault (Figure 1c). The mechanical
120 properties of the domains and interfaces are controlled by the particle properties and interparticle
121 friction coefficients assigned for each domain. The derivation of the bulk internal friction (μ'_{int})
122 and basal friction (μ'_{bas}) of the inner and outer wedges, respectively (Table S2, Supporting
123 Information), is explained in the supplementary materials and previous studies (Morgan, 2015;
124 Wang and Morgan, 2019). We use a highly simplified model that focuses on the first-order
125 effects of fault properties and outer wedge dimension on earthquake sizes during an earthquake
126 cycle. Therefore, we employ constant values of basal friction across each of the inner or outer
127 wedges for a given simulation stage, ignoring the spatial and temporal variations that likely
128 occur in nature. The resulting model, partitioned into an inner and outer wedge, is referred to as
129 State 0.

130 Each numerical simulation is carried out in two stages: (1) pre-earthquake loading under
131 enhanced “static” basal friction values, representing the interseismic period, and (2) dynamic
132 earthquake rupture under reduced basal friction beneath the inner wedge. This friction change is
133 a simplified way to simulate velocity-weakening, thought to accompany great earthquakes within
134 the subduction seismogenic zones, theoretically causing rupture propagation or even extensional
135 failure (Wang and Hu, 2006; Wang and Morgan, 2019). In combination, the two stages
136 approximate a full earthquake cycle. During the first stage, the backwall (positioned at 0 km) is
137 displaced at a steady rate, while the slip of the wedge is resisted by basal friction. This causes the
138 build-up of elastic strain energy within the wedge and increased shear stresses along the
139 megathrust. State 1 is reached following 8 km of backwall displacement, when the fault is
140 preconditioned and poised for failure. Earthquake rupture is induced during Stage 2 by rapidly
141 decreasing the basal friction beneath the inner wedge, which results in dynamic slip along the
142 underlying fault. Concurrently, the basal friction beneath the outer wedge was either maintained

143 or increased, simulating a more resistant frontal wedge. State of the model is achieved once
144 Stage 2 slip ceases. More information about the modeling workflow can be found in the
145 supplementary materials (S2) and the previous work (Wang and Morgan, 2019).

146 We carried out two different simulation setups, each one using different combinations of
147 basal friction and friction changes for a range of different outer wedge dimensions, as shown in
148 Table S2 (Supporting Information). In all models, the internal friction coefficient (μ'_{int}) was
149 maintained at 0.10 for both the inner and outer wedges.

150 Our first model setup (Table S1, Supporting Information) was designed to determine how
151 the dimension of the outer wedge (velocity strengthening zone) affects the distribution of fault
152 slip during earthquake rupture. The effective basal friction coefficients for the inner and outer
153 wedges, μ'_{bas_inner} and μ'_{bas_outer} , respectively, were both set to 0.04 at the start of the pre-
154 earthquake loading stage. During the earthquake rupture phase, μ'_{bas_inner} was instantly
155 decreased to 0.02 while μ'_{bas_outer} was maintained at 0.04. Simulations were conducted for a
156 range of outer wedge dimensions, ranging from 0% - ~60% of the full wedge length.

157 The second model setup (Table S2, Supporting Information) was used to investigate how
158 the magnitude of friction, beneath the outer wedge and whether it increases or decreases during
159 earthquake rupture, controls earthquake magnitude and resulting fault slips. As above, the
160 effective basal friction values for both the inner and outer wedges, μ'_{bas_inner} and μ'_{bas_outer}
161 respectively, were initially assigned to 0.04 during the pre-earthquake loading stage. Then during
162 the earthquake rupture phase, μ'_{bas_inner} was instantly decreased to 0.02 to simulate velocity
163 weakening, while μ'_{bas_outer} was changed to different values, ranging from 0.04 to 0.08.

164

165 **3 Simulation Results**

166 The instantaneous reduction in basal friction beneath the inner wedge allowed the
167 simulated wedge to slip along the fixed lower plate as it unloaded, interacting with the outer
168 wedge, which also had the potential to slip and unload. The final coseismic slip distributions for
169 both inner and outer wedges were calculated by tracking average particle displacements within
170 2000×1000 m domains immediately above the fault zone.

171 For Setup 1, seventeen simulations were conducted using different ratios of outer wedge
172 length to full wedge length, ranging from 0% to ~60%; the final displacements, from the
173 backwall (at 0 km) to the wedge toe, at the end of unloading are summarized in Figure 2a-2b. A

174 clear pattern emerges, revealing a trend of increasing local fault displacement from near the
175 backwall to the toe, until slip is suppressed by the presence of the resistant outer wedge. Thus,
176 we see that the distance to the peak coseismic fault displacement correlates inversely with the
177 width of the outer wedge, and slip magnitude decreases noticeably near the transition from the
178 inner to the outer wedge (Figure 2a). The peak slip occurs very close to the toe if the outer wedge
179 is very small, i.e., less than 10% of the megathrust fault length (Figure 2a) but shifts away from
180 the toe as the outer wedge width increases. Lastly, the maximum slip magnitude increases
181 exponentially as the dimension of the outer wedge decreases (Figure 2b). A small step in
182 displacement noted on each curve at ~40 km reflects reactivation of a fault that formed during
183 the interseismic loading stage (Figure 1c), as is explained in the supplementary material; this
184 fault does not contribute significantly to the rupture distribution.

185 With Setup 2, we compared three different outer wedge widths, and examined the effects
186 of four different friction changes beneath the outer wedge (Figure 2c, d, and e). We see that the
187 magnitude friction, and whether it increases or decreases, influences the cumulative fault slip,
188 defined as the area under the slip-displacement curve. Again, in Figure 2c-2e, all models exhibit
189 a step-in slip magnitude near the boundary between the inner and outer wedges, however, the
190 larger the reduction in outer wedge friction, the greater the cumulative fault slip. For μ'_{bas_outer}
191 larger than 0.04 (i.e., velocity strengthening), the coseismic slip distributions beneath the outer
192 wedge are similar and small (blue dashes and pink circles in Figure 2c-2e). In the case of
193 constant velocity ($\mu'_{bas_outer} = 0.04$, black line), the outer wedge experiences higher fault slip.
194 As above, the step-in displacement at ~40 km is due to a pre-existing fault.

195

196 **4 Discussion**

197 4.1 Controls on Earthquake Magnitudes and Coseismic Slips

198 We can select the results of our Setup 1 simulations that produce fault slip distributions
199 that reasonably match both the 1960 Valdivia and 2010 Maule earthquakes. Shown in Figures 3a
200 and b (left panels), are the selected simulation results (solid lines) that best fit the published
201 constraints discussed previously (dashed lines). For comparison, we also revisit modeled slip
202 distributions for the recent well-instrumented 2011 Tohoku earthquake off Japan, which is
203 known to have ruptured all the way to the trench (Figure 3c, left panel). For each of the preferred
204 slip distributions, we also plot corresponding model-derived stress changes that accompanied the

205 simulated earthquakes (Figure 3d-3f, right panels), to demonstrate the role of the frictionally
206 stronger outer wedges in modulating fault slip. The calculation of stress changes, documented as
207 cumulative changes in mean stress, σ_m during earthquake unloading, is explained in the
208 supplementary materials (S3). In all cases, the earthquake causes a reduction in inner wedge
209 stress, some of which is transferred toward the toe, resulting in an increase in stress within the
210 outer wedge. We discuss each case further below.

211 Based on the previous interpretation based on the tomographic model for the 2010 Mw
212 8.8 Maule earthquake rupture segment (Contreras-Reyes *et al.*, 2010; Contreras-Reyes *et al.*,
213 2017), the outer wedge zone is thought to be relatively large, and the modeled peak slip is about
214 20 m (Table S1, Supporting Information). Our model with an outer wedge that is ~49 % of the
215 subduction interface and an outer wedge friction value of 0.04, matches these constraints well
216 (Figure 3a). The case where the outer wedge is ~ 49% of the subduction interface provides a
217 reasonable match to the estimated slip distribution. The simulated and calculated coseismic slip
218 distributions are compared in the left panel of Figure 3a; the simulated co-seismic stress change
219 is shown in the right panel. The peak slip from our numerical simulation (black curve) is about
220 21 m, centered ~ 100 km from the trench. This is consistent with the derived slip distributions
221 (blue dash curve) for the 2010 Maule earthquake (Moreno *et al.*, 2010). The average slip is about
222 9.5 m, and if we assume an along strike rupture distance of 550 km (Moreno *et al.*, 2010), the
223 moment magnitude (M_w) can be calculated as:

$$224 \quad M_w = 2/3 \times \log (\mu \times \text{rupture area} \times \text{slip length}) - 10.73$$

225 using a standard shear modulus, μ for the crust of 3×10^{10} N/m. This yields an earthquake
226 magnitude of around 8.8, which matches that of the Maule earthquake. The simulated coseismic
227 stress change shows that unloading of the inner wedge transferred significant stress into the outer
228 wedge, around 120 km, near the boundary with the inner wedge, whereas the toe of the wedge
229 experienced essentially no change in stress. This demonstrates that the outer wedge resisted
230 megathrust slip, limiting rupture propagation to the trench, which is consistent with expected
231 velocity-strengthening behavior and observations that the Maule rupture did not propagate to the
232 trench (Contreras-Reyes *et al.*, 2010; Delouis *et al.*, 2010; Moreno *et al.*, 2010; Ryder *et al.*,
233 2012; Maksymowicz *et al.*, 2017). In reality, the frictional transition between the inner and outer
234 wedge in nature is probably more gradational than we have simulated here, which can explain
235 the more gradual decrease in slip towards the toe documented for the Maule event. Nevertheless,

236 the coseismic slip distribution derived from our simplified model, in general, agrees with
237 previous estimates for the width of the outer wedge, as well as the coseismic slip distribution
238 related to the 2010 Maule earthquake (Contreras-Reyes *et al.*, 2010; Moreno *et al.*, 2010; Tong *et*
239 *al.*, 2010).

240 By comparison, the Valdivia rupture segment is thought to have a much smaller outer
241 wedge, based on recent seismic interpretations (Contreras-Reyes *et al.*, 2010; Bangs *et al.*, 2020).
242 The simulation with an outer wedge of 10% of the subduction interface provides a reasonable fit
243 (Figure 3b, left panel), although with some informative differences. The peak coseismic slip
244 from our simulations is ~45 m, comparable to the peak slip of ~44 m derived for the 1960
245 Valdivia earthquake (Moreno *et al.*, 2009). The average modeled slip for this case is about 22 m.
246 If the along strike rupture distance is 1000 km (Moreno *et al.*, 2009), this yields an earthquake
247 magnitude of ~9.4. As seen in the right panel of Figure 3e, the wedge experienced primarily
248 coseismic stress drop, except very near the toe of the wedge, where a stress rise is observed
249 above the strong outer wedge fault. However, despite the outer wedge resistance, our simulations
250 suggest that the toe experienced more than 30 m of slip (Figure 3b, left panel). These slip values
251 are consistent with previous studies that suggested the highest slip of the 1960 earthquake was
252 over twice the peak slip triggered by the 2010 earthquake, and that the earthquake ruptured all
253 the way to the trench (Moreno *et al.*, 2009; Contreras-Reyes *et al.*, 2010). In our simplified
254 simulation, the highest slip patch is very close to the trench (~20 km for the black curve in
255 Figure 3b, left panel), in contrast to the derived peak for the earthquake occurs ~100 km from the
256 trench (green curve in Figure 3b, left panel), and suggests very little slip at the toe.

257 To better understand the discrepancies between our simulated displacements and the
258 derived coseismic slip distribution for the 1960 Valdivia earthquake, we look to the 2011
259 Tohoku-oki earthquake, Mw is 9.0, as a good analogue. This earthquake ruptured all the way to
260 the trench (Ide *et al.*, 2011; Ito *et al.*, 2011; Tsuji *et al.*, 2011), and the highest coseismic slip was
261 ~ 64 m very close to the trench (Tsuji *et al.*, 2011; Wei *et al.*, 2012; Sun *et al.*, 2017). This slip
262 distribution is more consistent with our simulation with a very small outer wedge, i.e., less than
263 5% of the full wedge dimension (Figure 3c). In this case, the stress decreased throughout the
264 wedge, as the small outer wedge offered little resistance to slip. Thus, the earthquake rupture
265 propagated all the way to the trench, with the peak slip patch very close to the trench.
266 Considering that the magnitude of the 1960 Valdivia event was even larger than the 2011

267 Tohoku earthquake, the slip distribution triggered by the 1960 earthquake was perhaps more
268 comparable to that of the 2011 Tohoku-oki earthquake. Furthermore, we infer that the highest
269 slip patch for the 1960 earthquake was probably much closer to the trench than previously
270 interpreted (Moreno *et al.*, 2009), but the true slip distribution was not well resolved due to the
271 limited capabilities and distribution of seismometers at the time.

272

273 4.2 Effects of Velocity Strengthening on Coseismic Ruptures

274 Our results from Setup 2 provide further insights into how spatial and temporal variations
275 in fault strength during earthquakes can influence earthquake rupture behavior. Figure 2c-2e
276 demonstrate how coseismic changes in outer wedge friction affect the slip distribution and
277 magnitude. If the outer wedge experiences coseismic strengthening (i.e., basal friction increases
278 from 0.04 to 0.06-0.08) as inferred in Wang and Hu (2006) model, this results in a ~25%
279 reduction in the magnitude of outer wedge slip, reflecting the increased fault resistance. The peak
280 slip magnitude is also slightly reduced, most noticeably for the smallest outer wedge (Figure 2e).

281 The trends revealed by all these simulations demonstrate that both dimension and
282 frictional properties of an outer wedge will play a significant role in how slip is distributed across
283 a megathrust fault during an earthquake, and whether the rupture can extend all the way to the
284 toe, where it might generate a large tsunami. A large outer wedge that is frictionally strong
285 resists seaward slip and absorbs much of the stress released from the inner wedge during an
286 earthquake, limiting displacement at the wedge toe.

287

288 **5 Conclusions**

289 Our simulations demonstrate that both the dimension and the frictional properties of the
290 outer wedge affects earthquake magnitude, slip distribution and rupture extents. Our simulated
291 slip distributions yield important insights into the wedge properties and frictional changes that
292 accompanied the 2010 Maule earthquake and the 1960 Valdivia earthquake rupture, along the
293 central Chile margin, as well as for the 2011 Tohoku-oki earthquake off Japan. With the
294 constraints by the published peak slip, dimension of the outer wedge, as well as plausible values
295 of megathrust friction during pre-earthquake loading and coseismic earthquake rupture, our
296 models show consistency with the published coseismic slip distribution for the 2010 Maule and
297 2011 Tohoku-oki earthquake. In contrast, our simulation results imply the discrepancies between

298 our simulated displacements and the derived coseismic slip distribution for the 1960 Valdivia
299 earthquake. The weak match between the derived Valdivia slip model and our preferred
300 simulation, leads us to suggest that in reality the highest slip patch probably occurred much
301 closer to the trench, rather than ~100km away as has been suggested (Moreno *et al.*, 2009). This
302 conclusion is supported by new evidence for the maximum slip at the toe for the well-
303 instrumented Tohoku-oki earthquake (Ide *et al.*, 2011; Sun *et al.*, 2017).

304 The parameter study carried out using Setup 1 demonstrates that seismic hazards can be
305 identified and accessed much more easily by determining the forearc structure. An interpretation
306 of forearc structure bundled with corresponding numerical simulations can constrain the
307 coseismic slip distributions for poorly instrumented earthquakes. Moreover, the numerical
308 simulations, calibrated to match available slip distributions and the estimated dimensions of the
309 frontal wedge, can be used to run parameter tests to create a template showing the correlation
310 among the dimension of the outer wedge, coseismic rupture, and the slip distributions for various
311 coseismic friction changes. This template could allow us to quickly predict earthquake sizes for
312 different localities lacking records of megathrust earthquake, assuming the geometry of the
313 frontal wedge can be estimated.

314 Simulation Setup 2 further shows that the magnitude of the earthquake is sensitive to
315 frictional changes during fault rupture. The outer wedge frictional behavior can play a significant
316 role in controlling peak slip and earthquake magnitude when the dimension of the outer wedge is
317 sufficiently small, such as in the Valdivia rupture segment. Combining estimates of the
318 dimensions and basal frictional changes of the outer wedges, therefore, can help us better predict
319 the future sizes of the earthquakes and their risks.

320

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324 Interested parties are encouraged to contact the author to request copies of animated GIFs of the
325 simulations for further study. The modeling results, corresponding files, raw data, and sample
326 code for this research can be found in the published dataset [10.6084/m9.figshare.13565447](https://doi.org/10.6084/m9.figshare.13565447)

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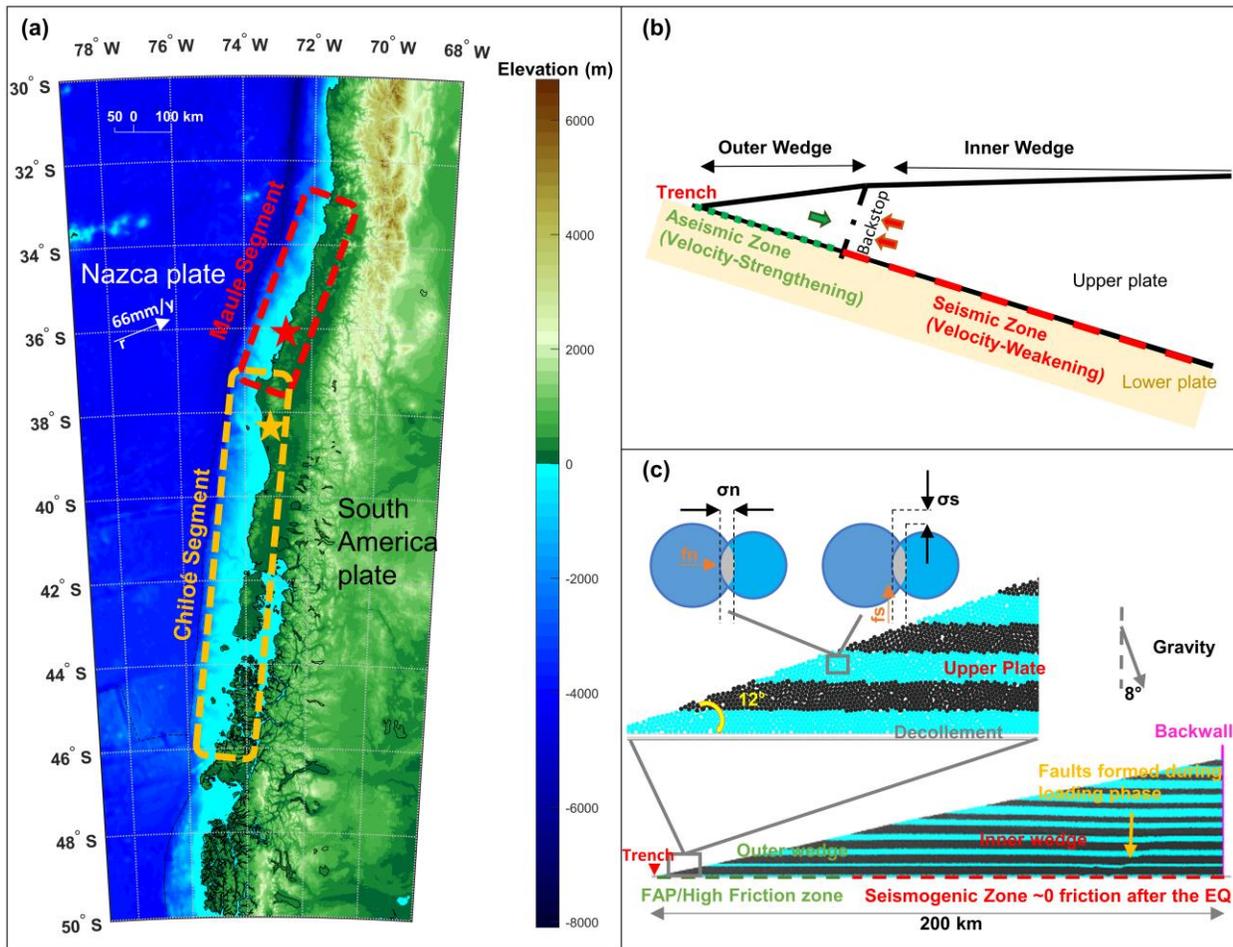
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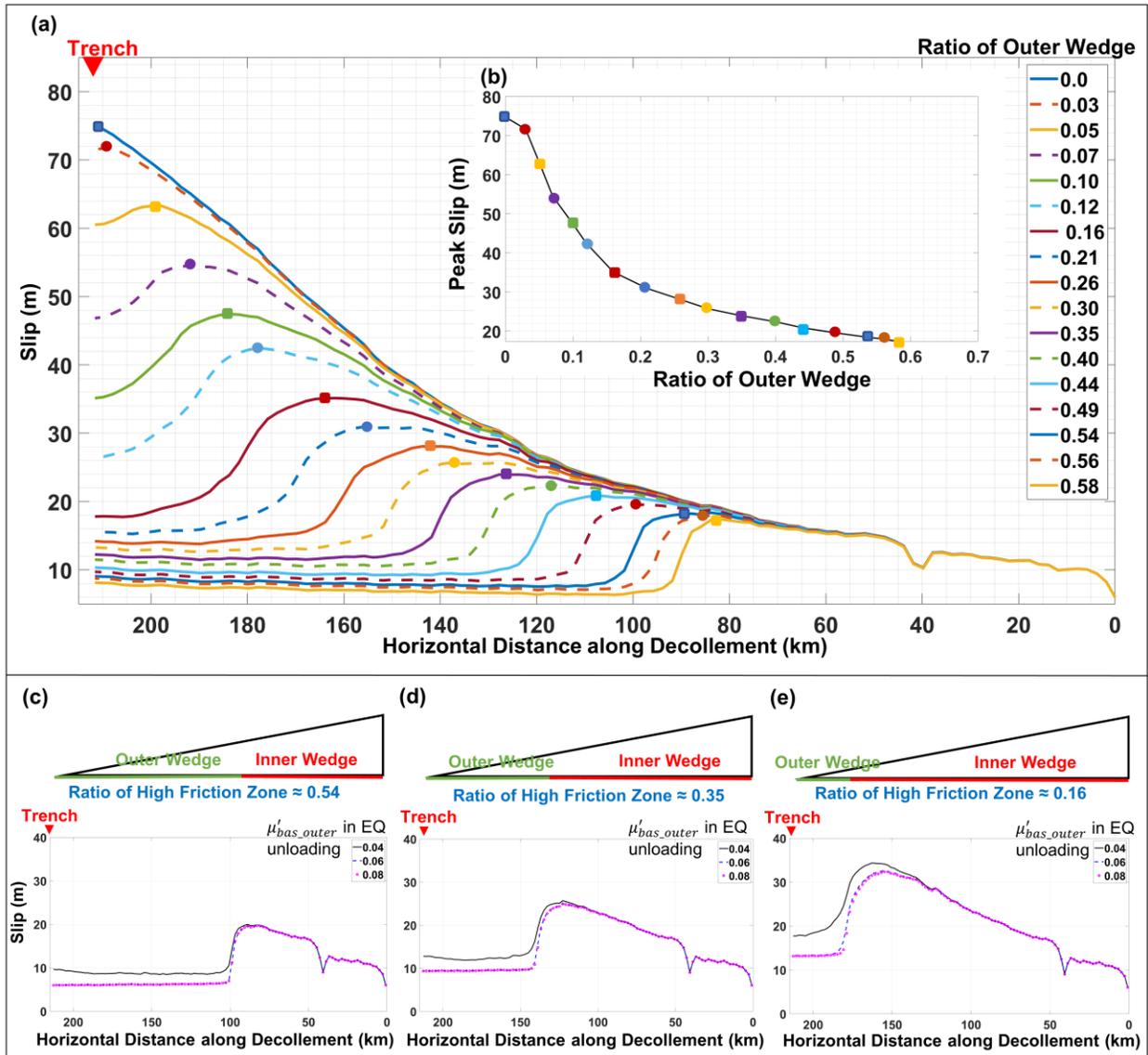
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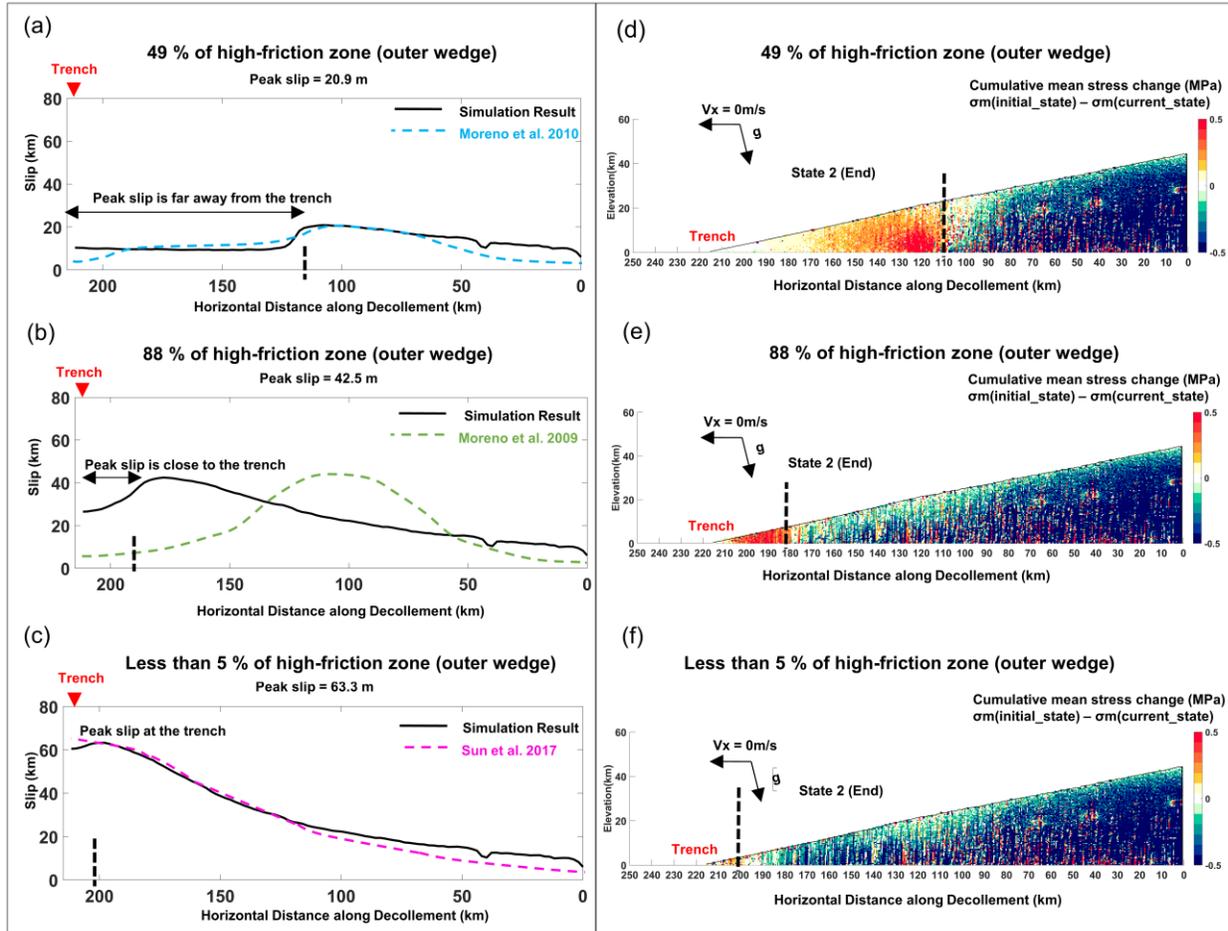
390 **Figures**



391
 392 Figure 1 (a) The location map of the South Central (SC) Chile Margin, approximately showing
 393 the 1960 Valdivia Earthquake rupture area (yellow ellipse) and the 2010 Maule Earthquake
 394 rupture area (red ellipse). The yellow and red rupture areas correlate with the Chiloé and Maule
 395 segment, respectively. (b) Conceptual model for the overriding continental plate consisting of an
 396 outer wedge (nominally aseismic zone, green dashed line) and inner wedge (seismic, velocity-
 397 weakening zone, red dashed line). (c) DEM model setup of the wedge profile; note that gravity is
 398 inclined, introducing a dipping basal surface.
 399



400
 401 Figure 2 (a) Coseismic slip distributions along the decollement for different ratios of the outer
 402 wedge. (b) Peak slip values from the coseismic slip distributions versus outer wedge ratio.
 403 Coseismic slip distributions along the decollement for different changes in basal friction beneath
 404 the outer wedge for outer wedge ratios of (c) 0.54 (d) 0.35, and (e) 0.16.
 405



406
 407 Figure 3. Simulated coseismic slip scenarios compared with derived slip models for the (a) 2010
 408 Maule earthquake rupture (Moreno *et al.*, 2010), (b) 1960 Valdivia earthquake rupture (Moreno
 409 *et al.*, 2009), and (c) 2011 Tohoku earthquake rupture (Sun *et al.*, 2017). Simulated coseismic
 410 changes in mean stress to demonstrate stress transfer within the wedge for each earthquake: (d)
 411 2010 Maule earthquake, (e) 1960 Valdivia earthquake, and (f) 2011 Tohoku earthquake. Red
 412 indicates increase in mean stress blue indicates decrease. The black dashed line locates the
 413 boundary between the inner and outer wedges, marking a change in basal friction behavior.
 414