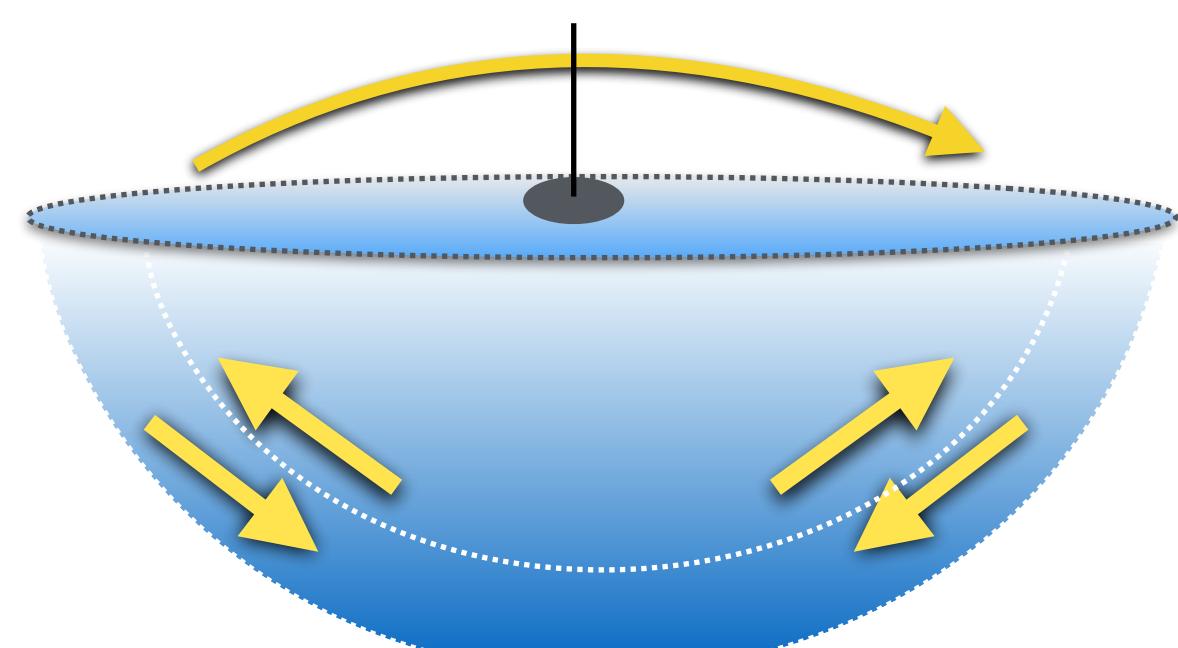


# Revisiting symmetric instability in the oceans

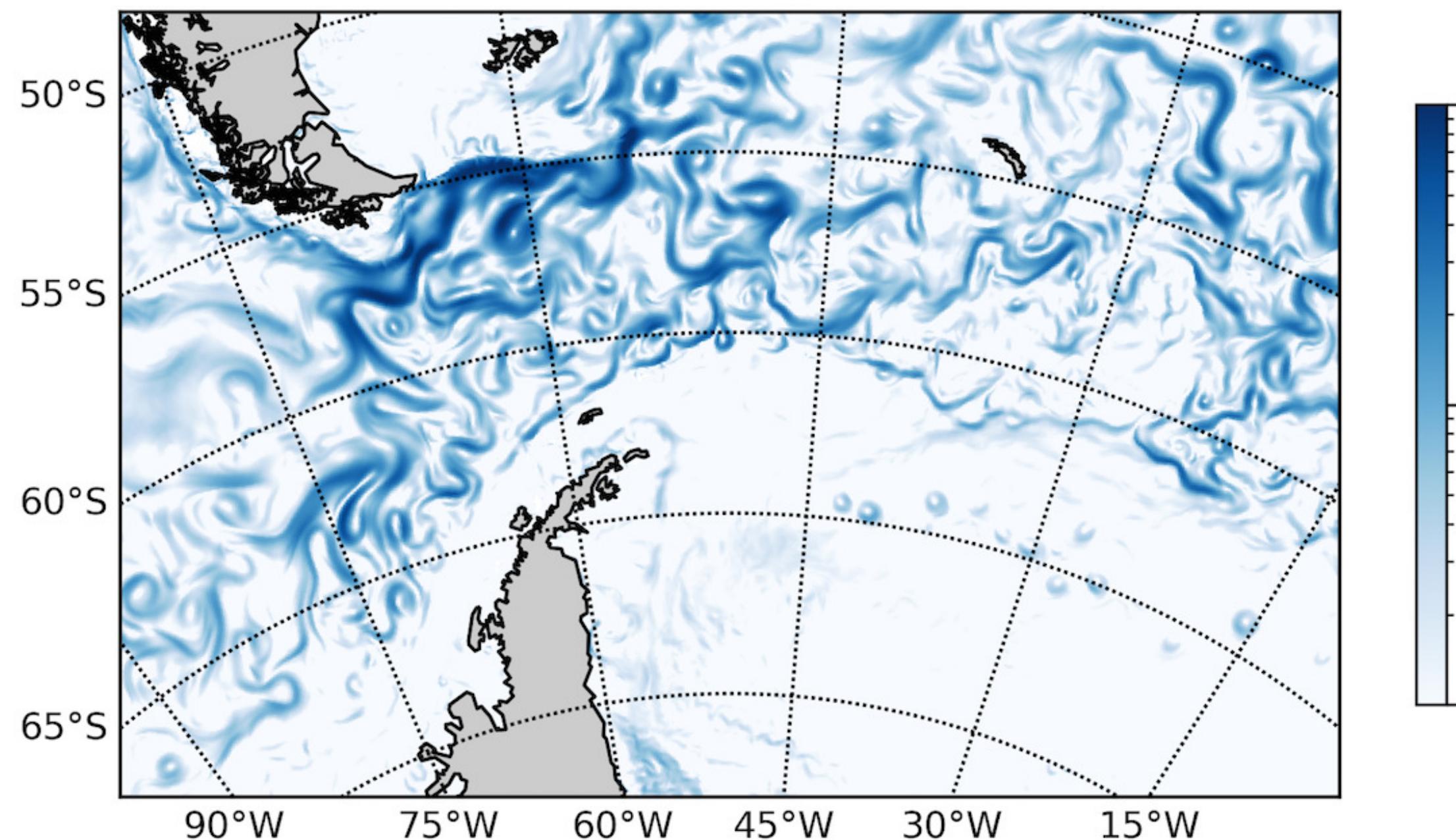
doi:10.1175/JPO-D-19-0265.1

doi:10.1175/JPO-D-20-0258.1



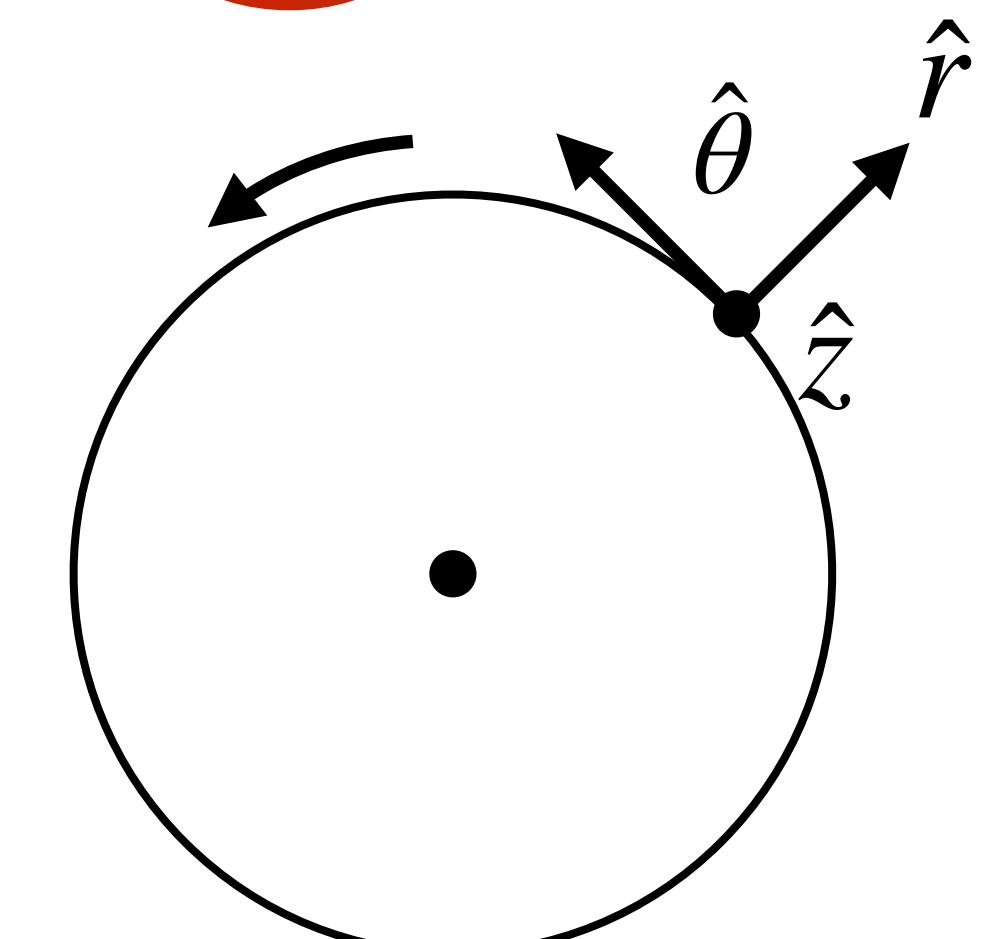
Symmetric instability

## Antarctic Circumpolar Current (ACC)



When does the curvature term matter?

$$(f + 2\bar{v}/r)\partial_z \bar{v} = \partial_r \bar{b}$$



Most theory assumes thermal wind balance (Hoskins 1974)

Wouldn't **gradient wind balance** be a better approximation?

Particularly for small scales (**i.e. submesoscales**) and **strong current systems?**

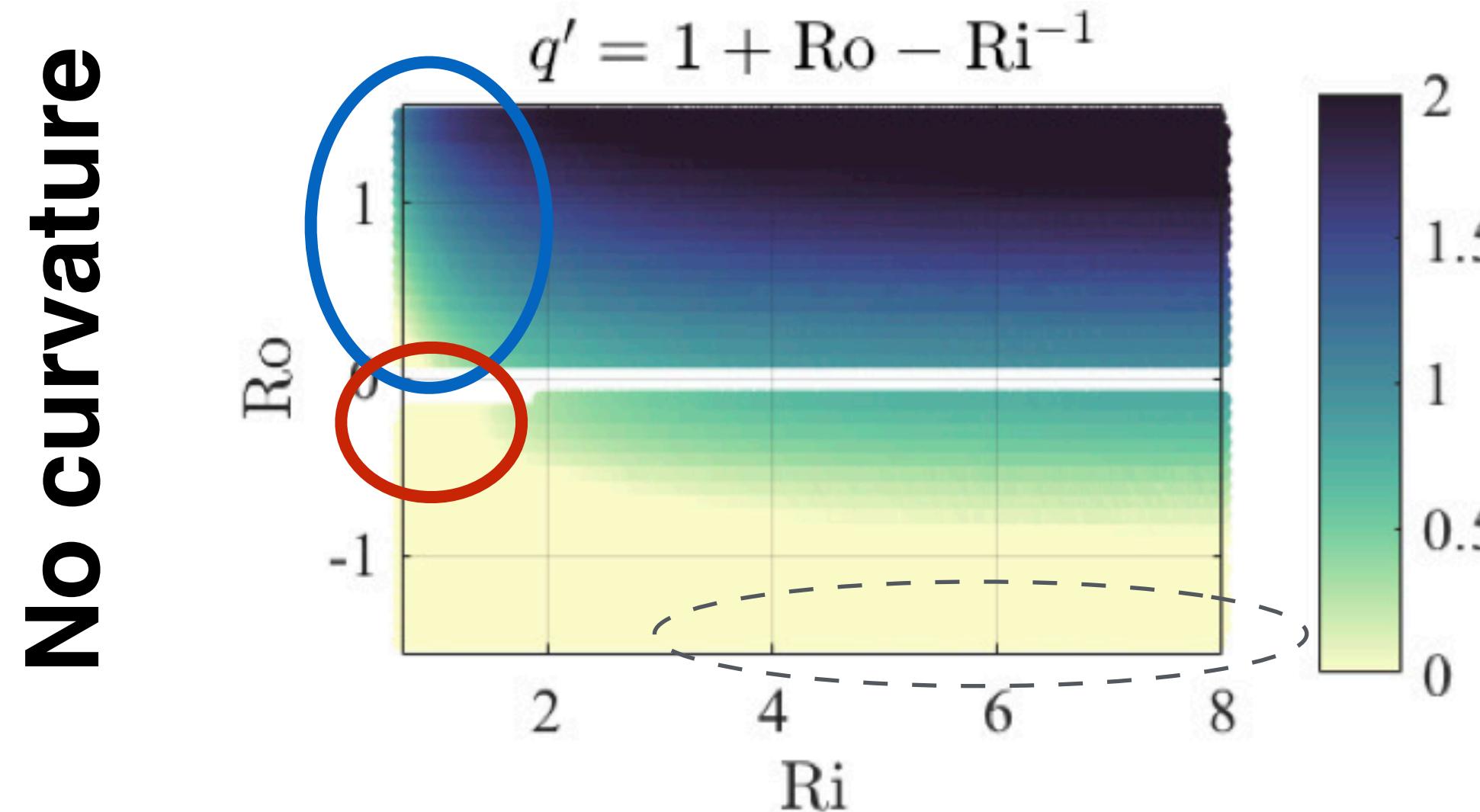
# Changes in stability introduced by curvature ...

Thermal wind balance (TWB)

$$f\partial_z \bar{v} = \partial_r \bar{b}$$

Relevant instability criteria

$$fq < 0 \text{ (dim.)} \implies q' < 0 \text{ (non . dim.)}$$



Occurs at low  $\text{Ri}$   
(i.e. symmetric instability)

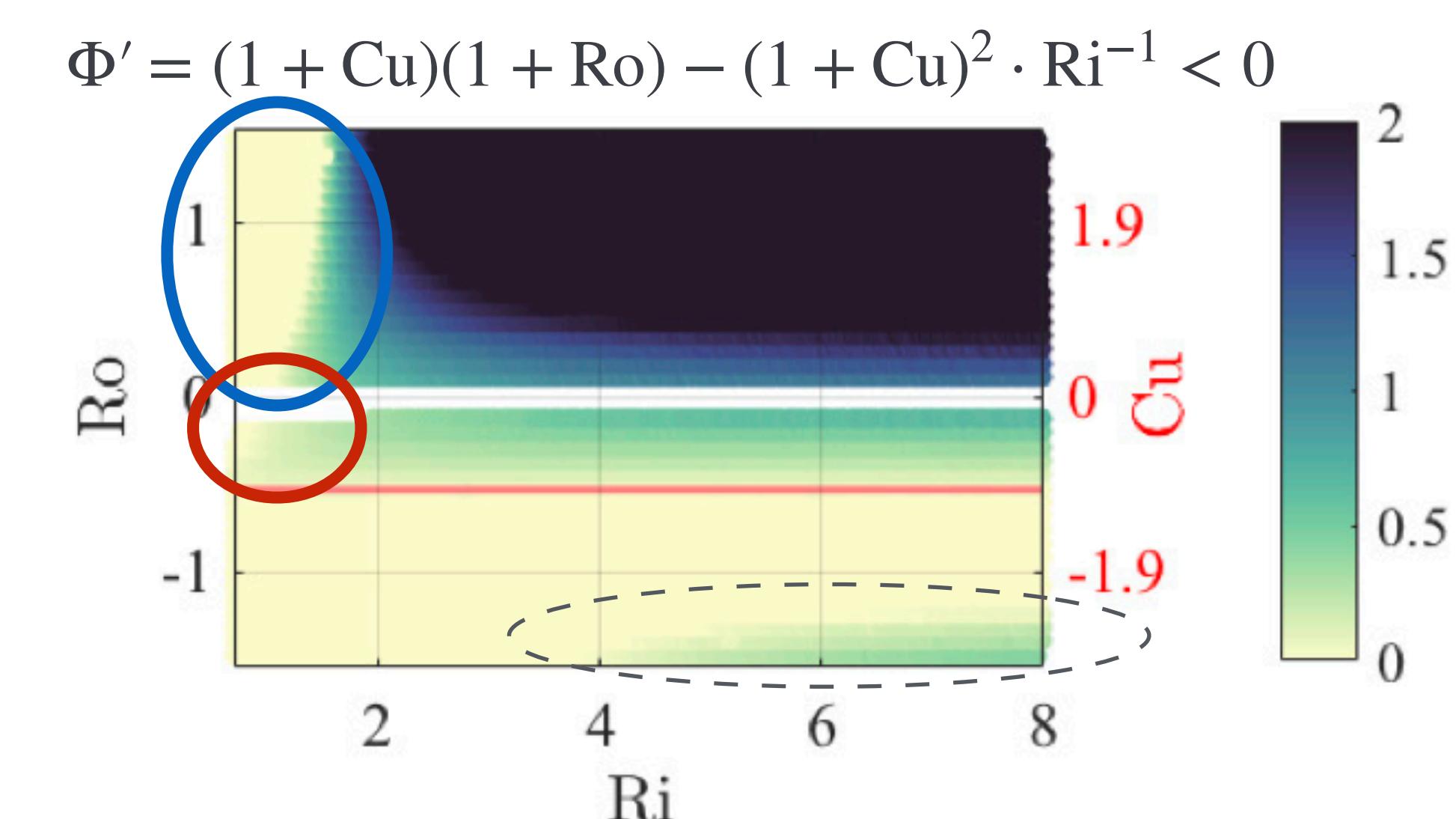
- 1. Pronounced decrease in stability for curved cyclonic fronts ( $\text{Ro} > 0$ ).
- 2. Marginal increase in stability for curved, anticyclonic fronts ( $\text{Ro} < 0$ ).
- 3. Stability for really strong anticyclones ( $\text{Ro} < -1$ ). Occurs for negative PV!

Gradient wind balance (GWB)

$$f(1 + \text{Cu})\partial_z \bar{v} = \partial_r \bar{b}, \text{ where } \text{Cu} = 2\bar{v}/(fr)$$

Relevant instability criteria

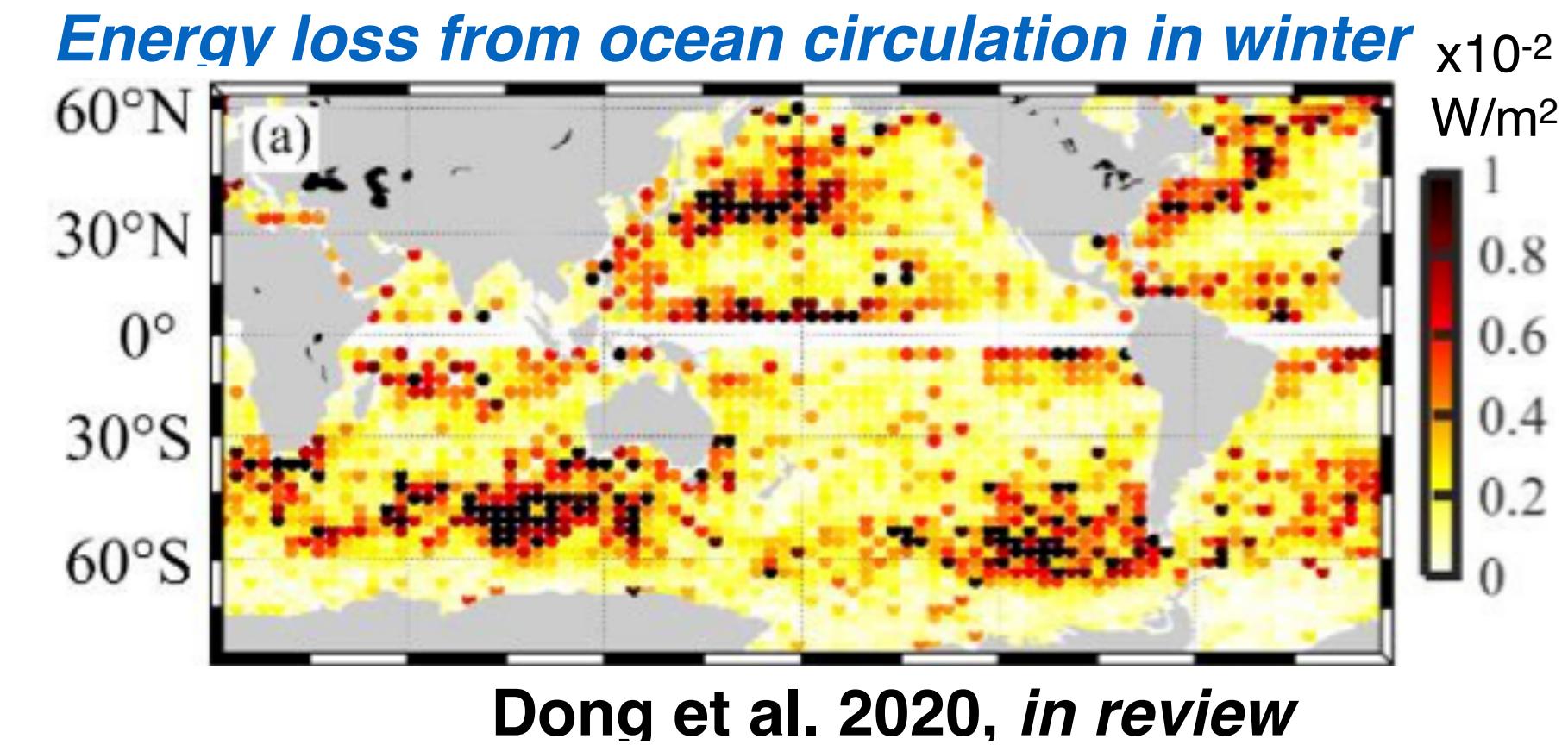
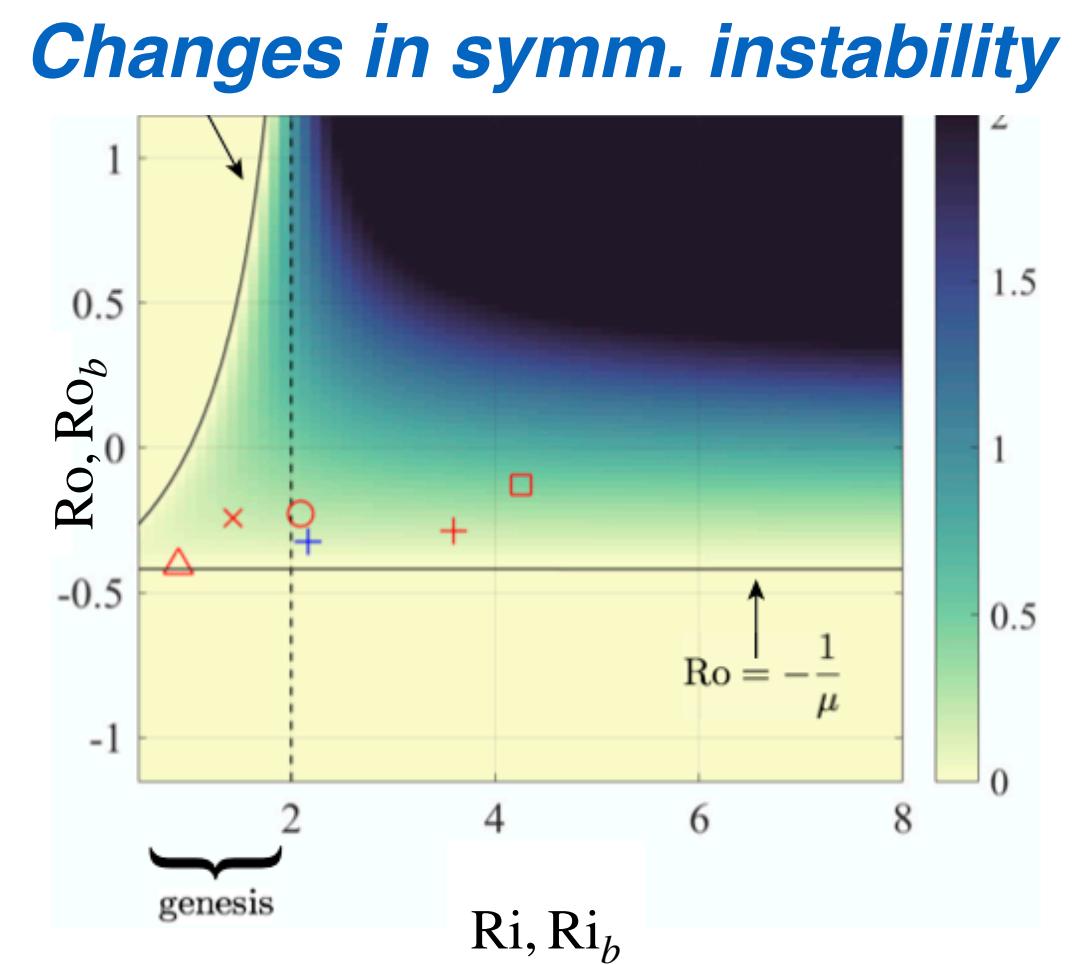
$$(1 + \text{Cu})fq < 0 \text{ (dim.)} \implies \Phi' = L'q' < 0 \text{ (non . dim.)}$$



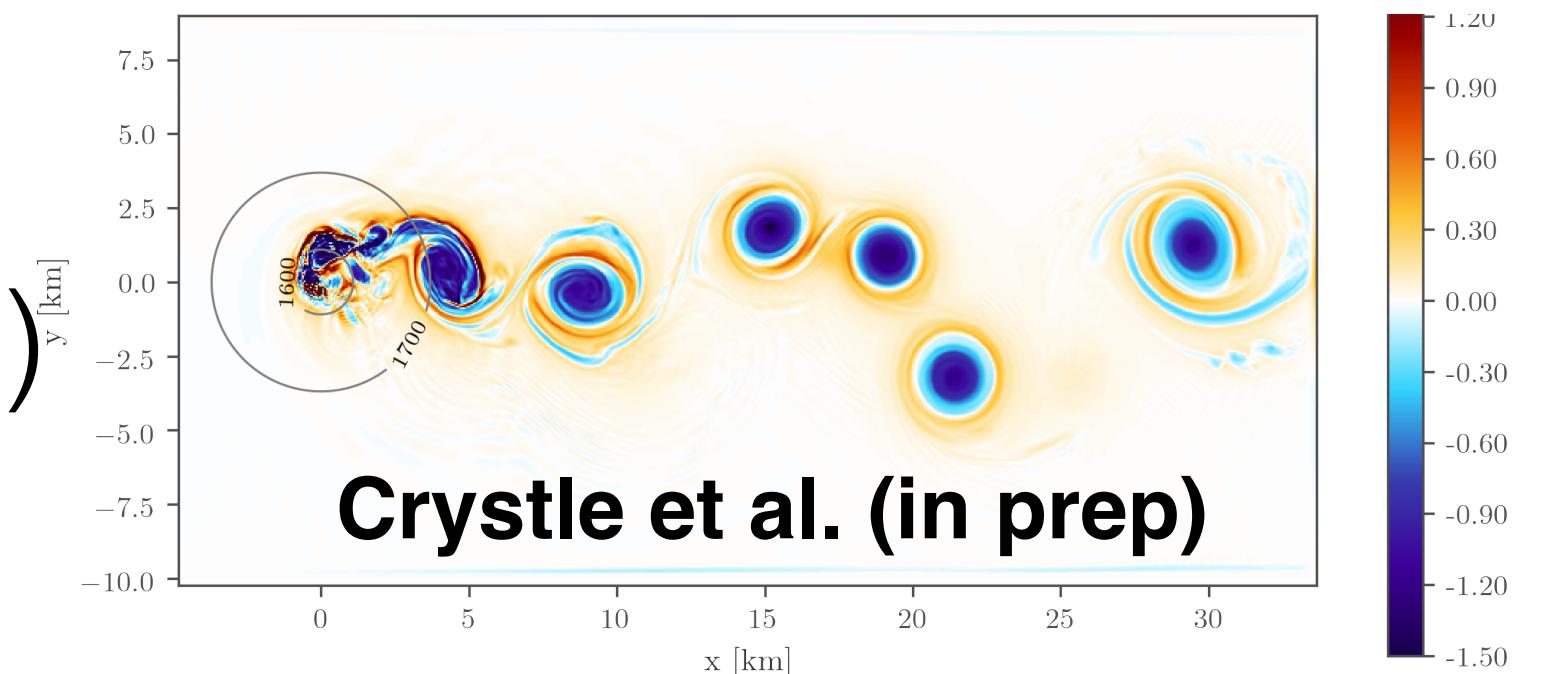
**With curvature**

# Potential Implications

- Ocean circulation
- Ocean-atmosphere exchange
- Tracer flux between boundaries and interior ocean
- Transport of water masses (**think biogeochemistry!**)
- Representation of these within Earth System models



*Vortex Generation by Hydrothermal Vents*



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[doi:10.1175/JPO-D-20-0258.1](https://doi.org/10.1175/JPO-D-20-0258.1)