

Abstract

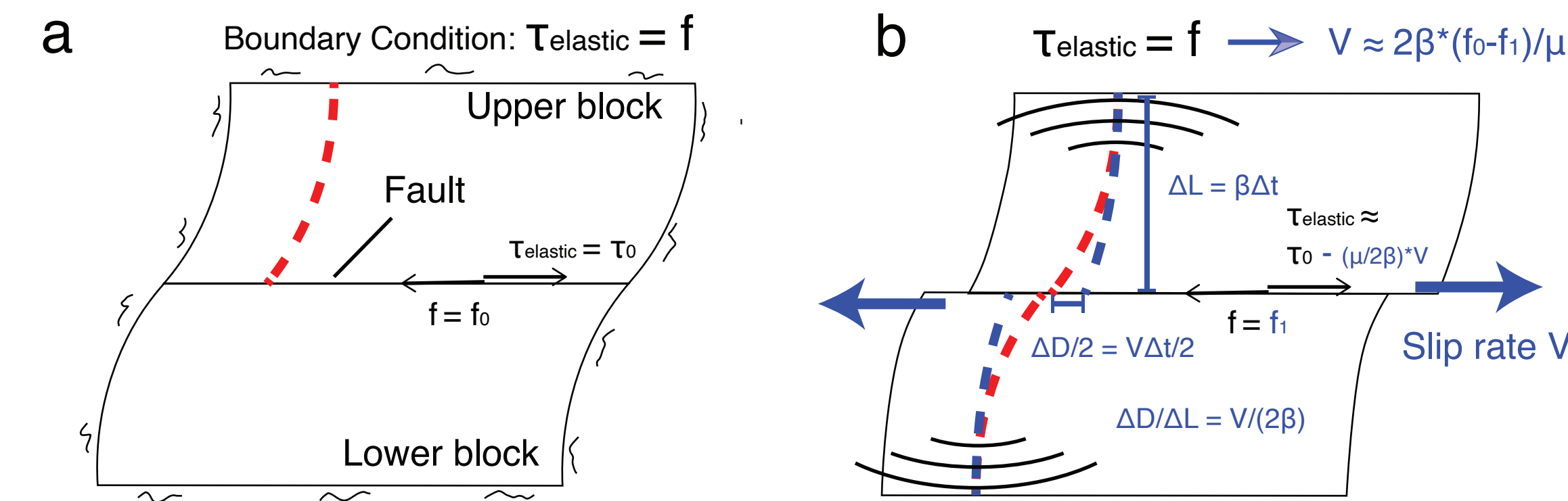
It is well-known that the first-order kinematic source characteristics of typical earthquakes, such as slip rate, rupture propagation speed, and moment duration scaling, can be well-explained by a model where the fault experiences a sudden frictional strength drop.

Slow slip events (SSEs) are slip transients similar to typical earthquakes, but their first-order source characteristics are quite different. For example, an SSE has a lower slip rate than a typical earthquake (fast earthquake). A sudden frictional strength drop model cannot explain SSEs to first order.

We consider a frictional-viscous model (e.g., Ando et al., 2010) to explain the first-order characteristics of SSEs. It is inspired by the recent geological observations that imply the occurrence of SSEs in fault zones with a finite thickness of ~100s of meters. The bulk matrix of the fault zone deforms viscously, while pervasive frictional surfaces are distributed in the viscous matrix.

Our frictional-viscous model can simultaneously explain various kinematic source parameters for SSEs, with the viscous coefficient $\eta_v \approx 10^4 - 10^5 \mu/(2\beta)$ and stress drop $\approx \sim 10$ kPa.

A frictional-only sudden stress drop model

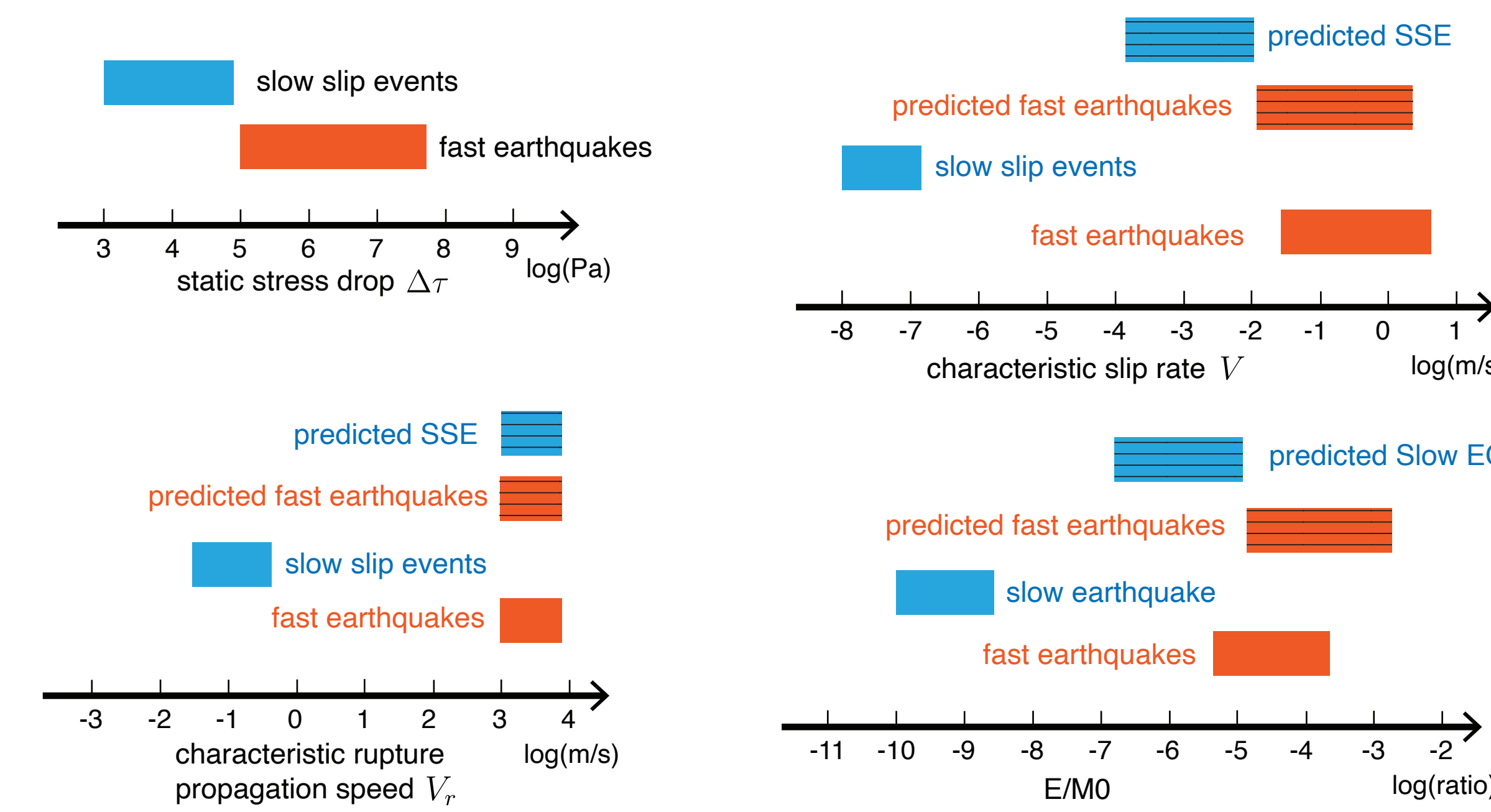


Theoretical relations (1st order) for the sudden stress drop model:

$$\Delta\tau \approx \mu \frac{D}{L} \quad V_r \approx \beta \quad \frac{E}{M_0} \approx \frac{\Delta\tau}{2\mu}$$

$$V \approx \frac{2\Delta\tau}{\mu} \cdot \beta \quad M_0 \approx \Delta\tau \cdot \beta^3 \cdot T^3$$

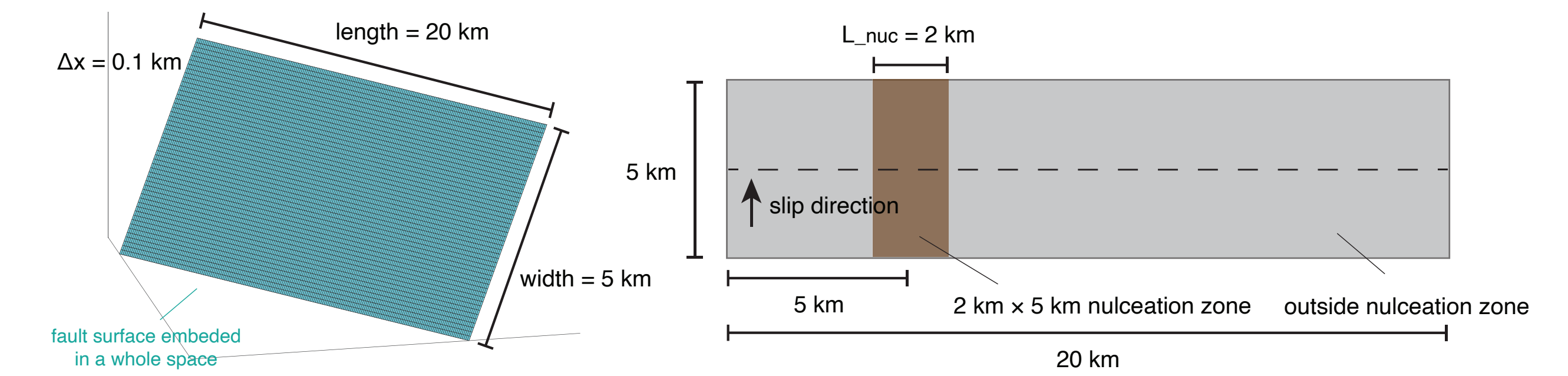
(e.g., Kanamori 1977; Aki & Richards, 2002)



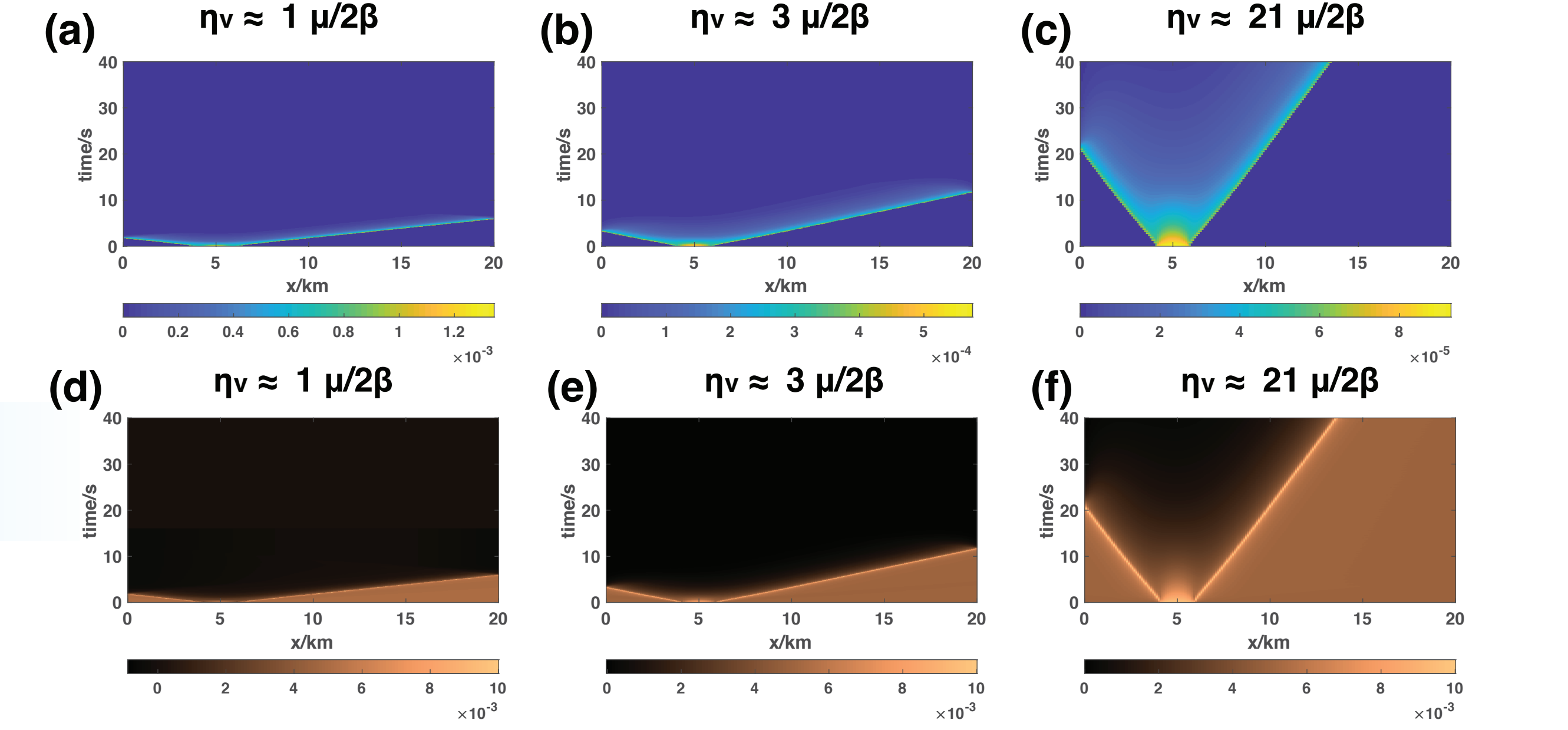
Sudden stress drop model can explain fast EQs to first order. But it cannot explain SSE

Numerical validations of analytical results

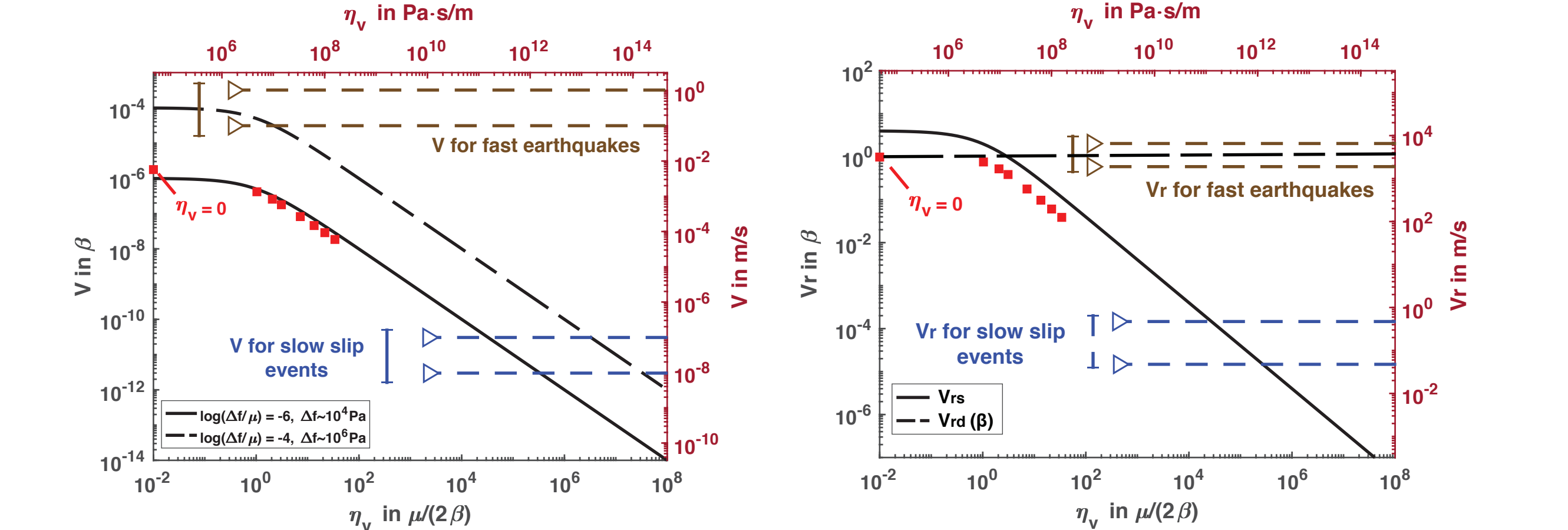
3D BIEM dynamic rupture simulations:



Yielding stress the same everywhere:

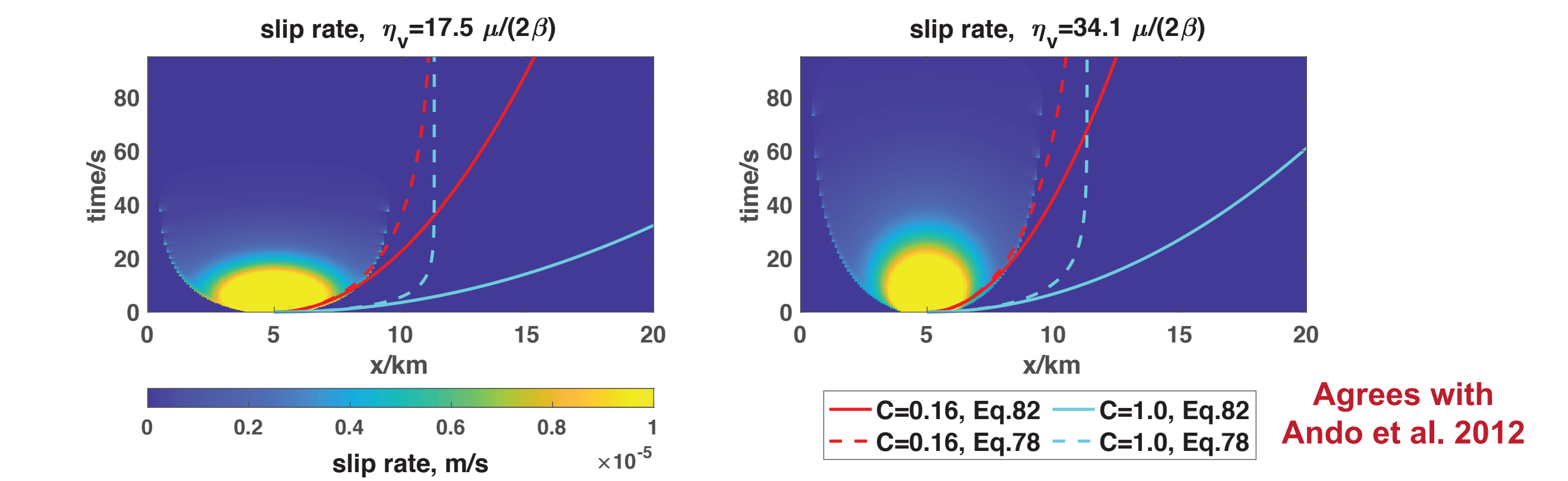


Compare with analytical results:



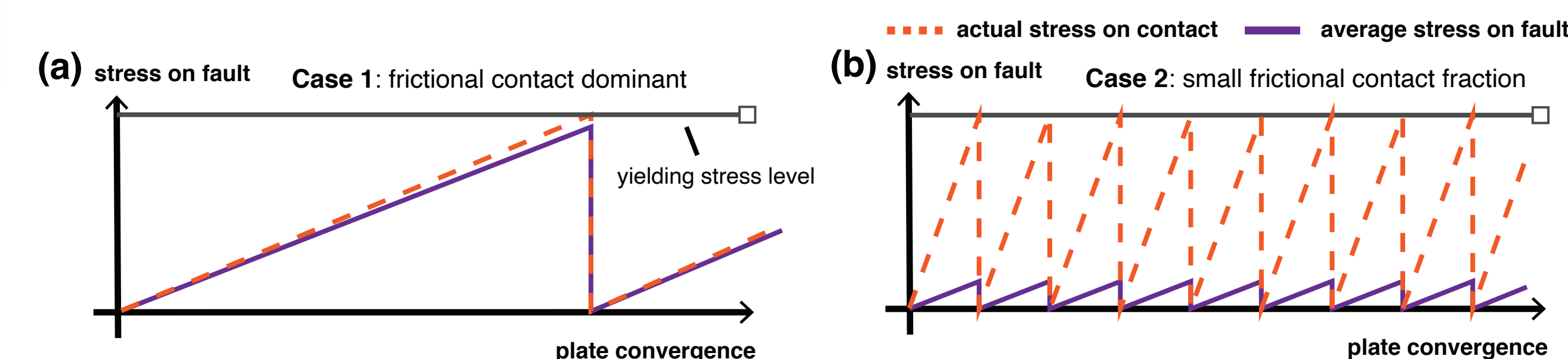
Explicit stress/friction heterogeneity is not required to generate slow slip rate V and slow rupture propagation speed V_r.

Yielding stress 10 times higher in nuc. zone (diffusive):



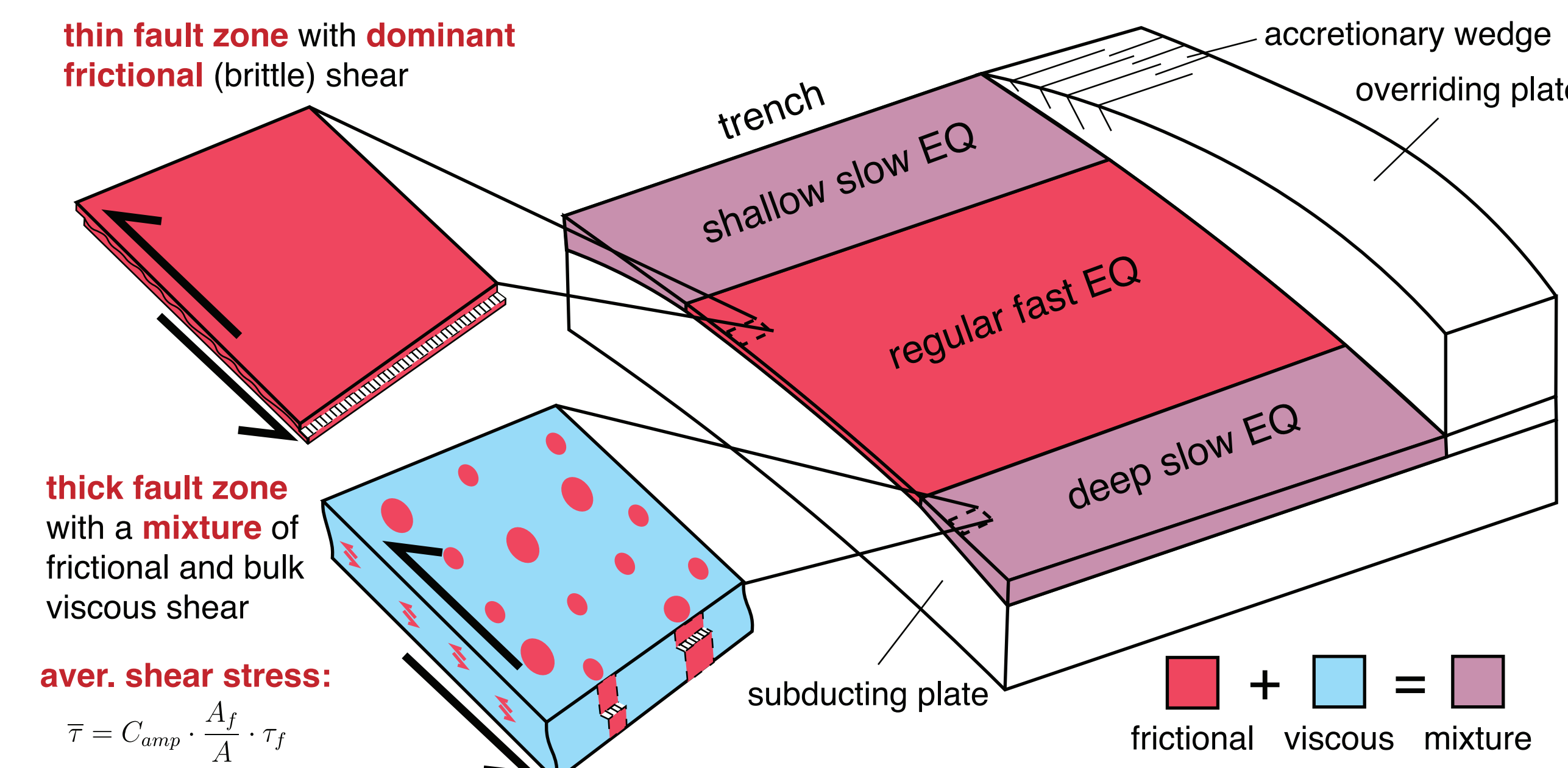
Agrees with Ando et al. 2012

Why more frequent occurrence for SSEs?



Stress concentration/amplification effect for the frictional-viscous model: the actual shear stress on the frictional contact builds up significantly faster than the average shear stress on the fault, because of the small fraction of the area that is frictionally locked needs to bear the load for a considerably greater area. As a result, a frictional-viscous fault would have a **shorter event interval** and a **smaller average stress drop**.

A frictional-viscous in parallel model: setup



The physical picture of the present model: fast EQs happen on frictional-only faults. SSEs happen on frictional-viscous mixing faults, where the 3D fault zone mostly consists of viscous deformation, while frictional (brittle) deformation sparsely exists in the fault zone as well.

These 3D features are parameterized as “friction law” on a 2D fault. The total fault strength equals the sum of the frictional and viscous strength components. The frictional strength can experience a sudden drop (slip-weakening), while the viscous strength increases linearly with slip rate V. Such a boundary condition is equivalent to a mechanical system where the frictional and viscous force act in parallel. (e.g., Ando et al., 2010; Lavie et al., 2013; Beall et al., 2019).

Effective friction law:

When $\tau_{elastic} < f_0$, fault stays locked, and $V=0$;

Once $\tau_{elastic} \geq f_0$, fault starts to slip, and we have

$$\tau_{elastic} = f_0 - (f_0 - f_1) \cdot \frac{D}{D_0} + \eta_v \cdot V, \text{ when } D \leq D_0$$

$$\tau_{elastic} = f_1 + \eta_v \cdot V, \text{ when } D > D_0$$

Two KEY “friction law” parameters:

$\Delta\tau$: frictional strength drop η_v : viscous coefficient

A frictional-viscous in parallel model: analytical relations

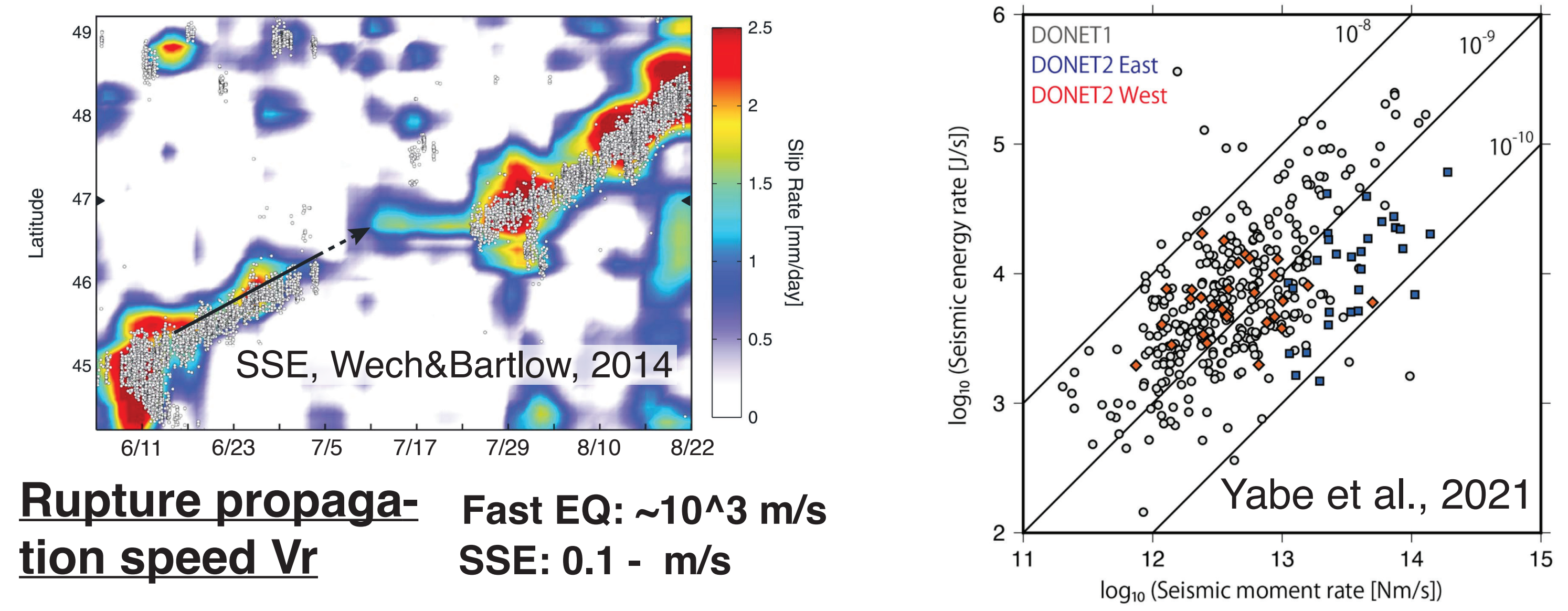
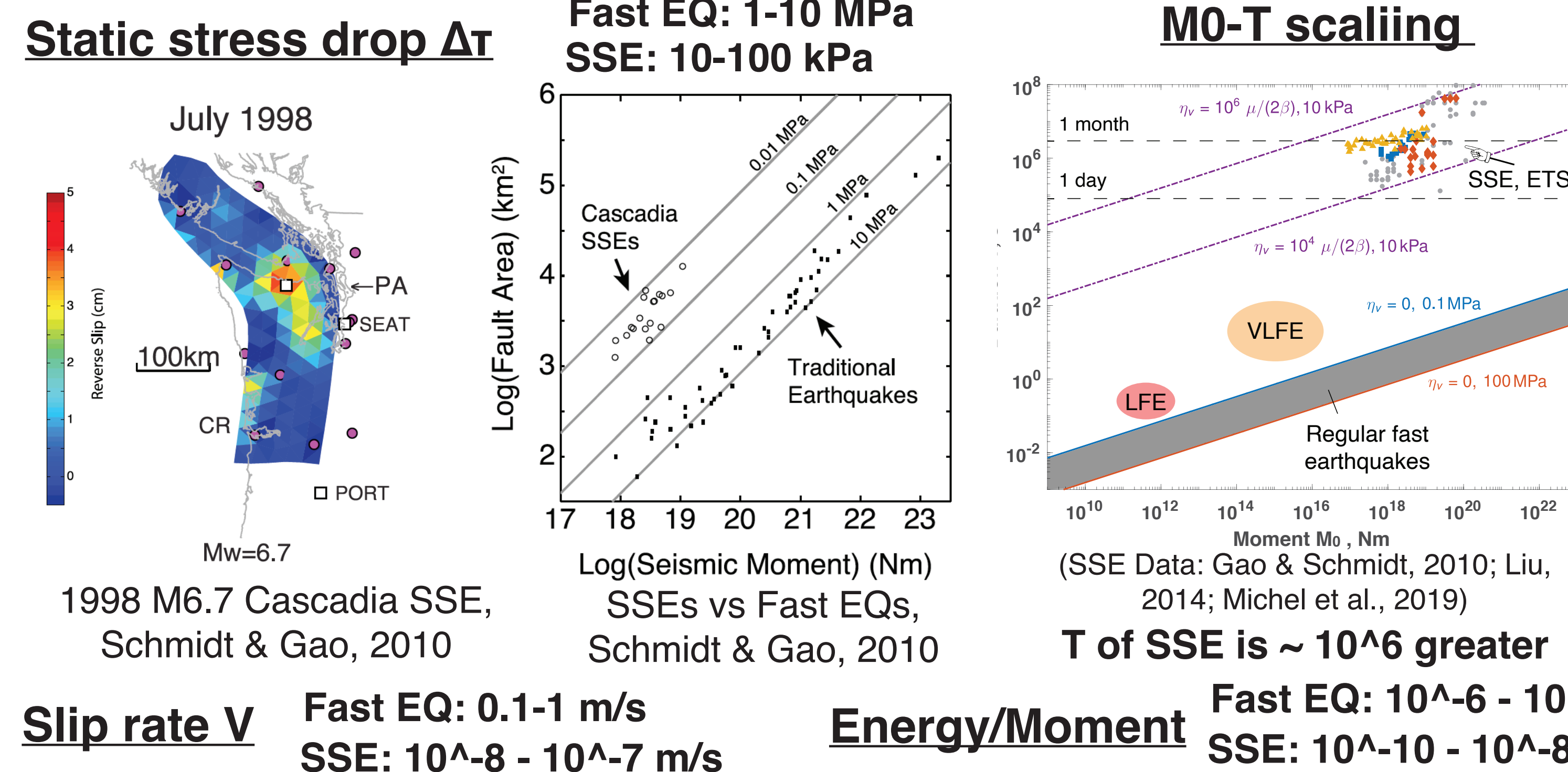
$$\Delta\tau \approx \mu \frac{D}{L}, \quad V_r \approx \left(1 + \frac{1}{S}\right) \cdot \left(1 + \frac{\eta_v}{\mu/(2\beta)}\right)^{-1} \cdot 2\beta,$$

$$V \approx \left(1 + \frac{\eta_v}{\mu/(2\beta)}\right)^{-1} \cdot \frac{2\Delta\tau}{\mu} \cdot \beta, \quad M_0 \approx \Delta\tau \cdot \left(1 + \frac{\eta_v}{\mu/(2\beta)}\right)^{-3} \cdot \beta^3 \cdot T^3,$$

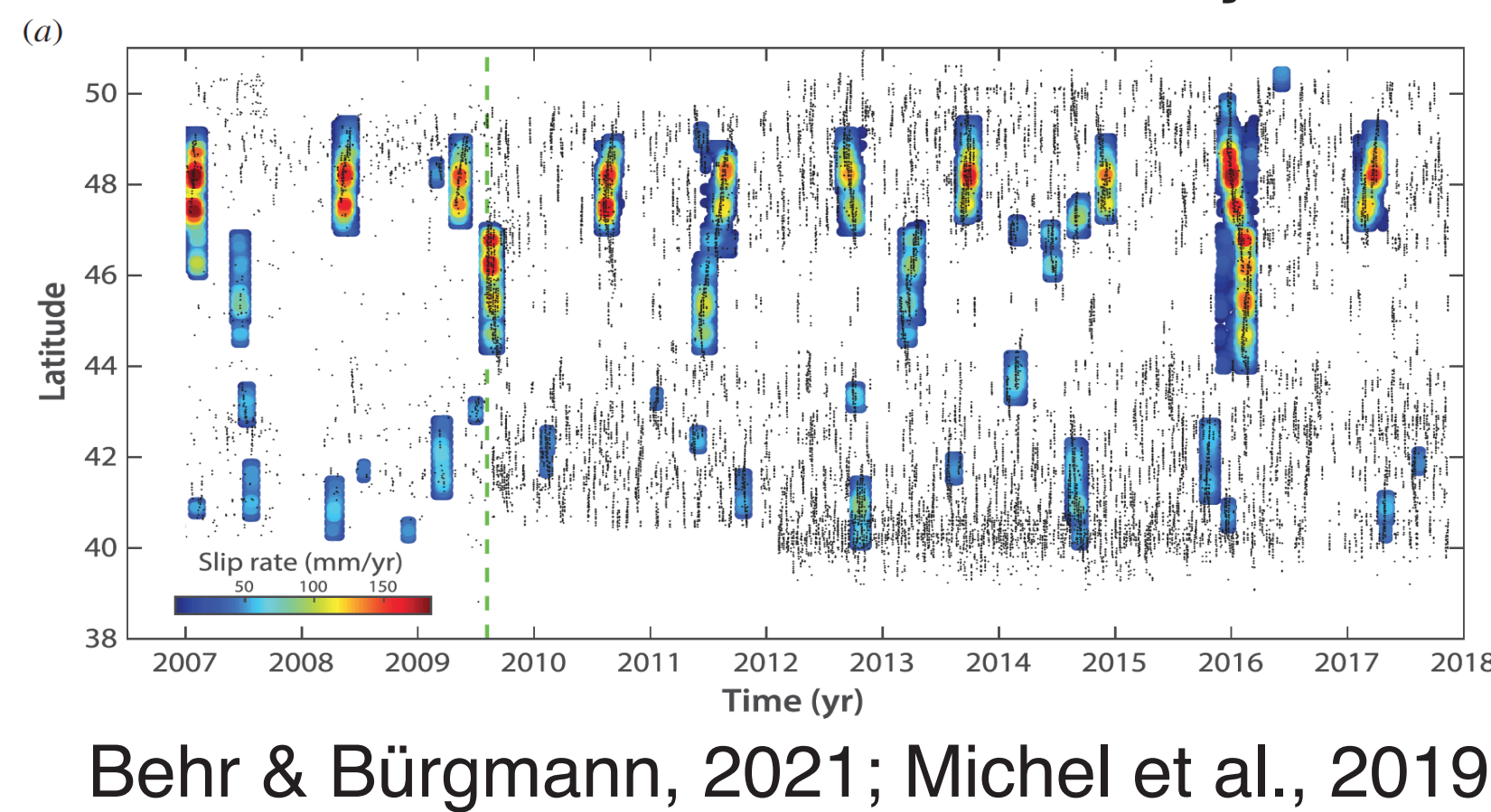
$$\frac{E}{M_0} \approx \frac{\Delta\tau}{2\mu} \cdot \left(1 + \frac{\eta_v}{\mu/(2\beta)}\right)^{-1}, \quad D_f \approx C \cdot \frac{\Delta\tau}{\tau_e} \cdot \left(1 + \frac{\eta_v}{\mu/(2\beta)}\right)^{-1} \cdot L \cdot 2\beta$$

(Please ask Baoning for details!)

SSEs vs Fast EQs: 1st order observations

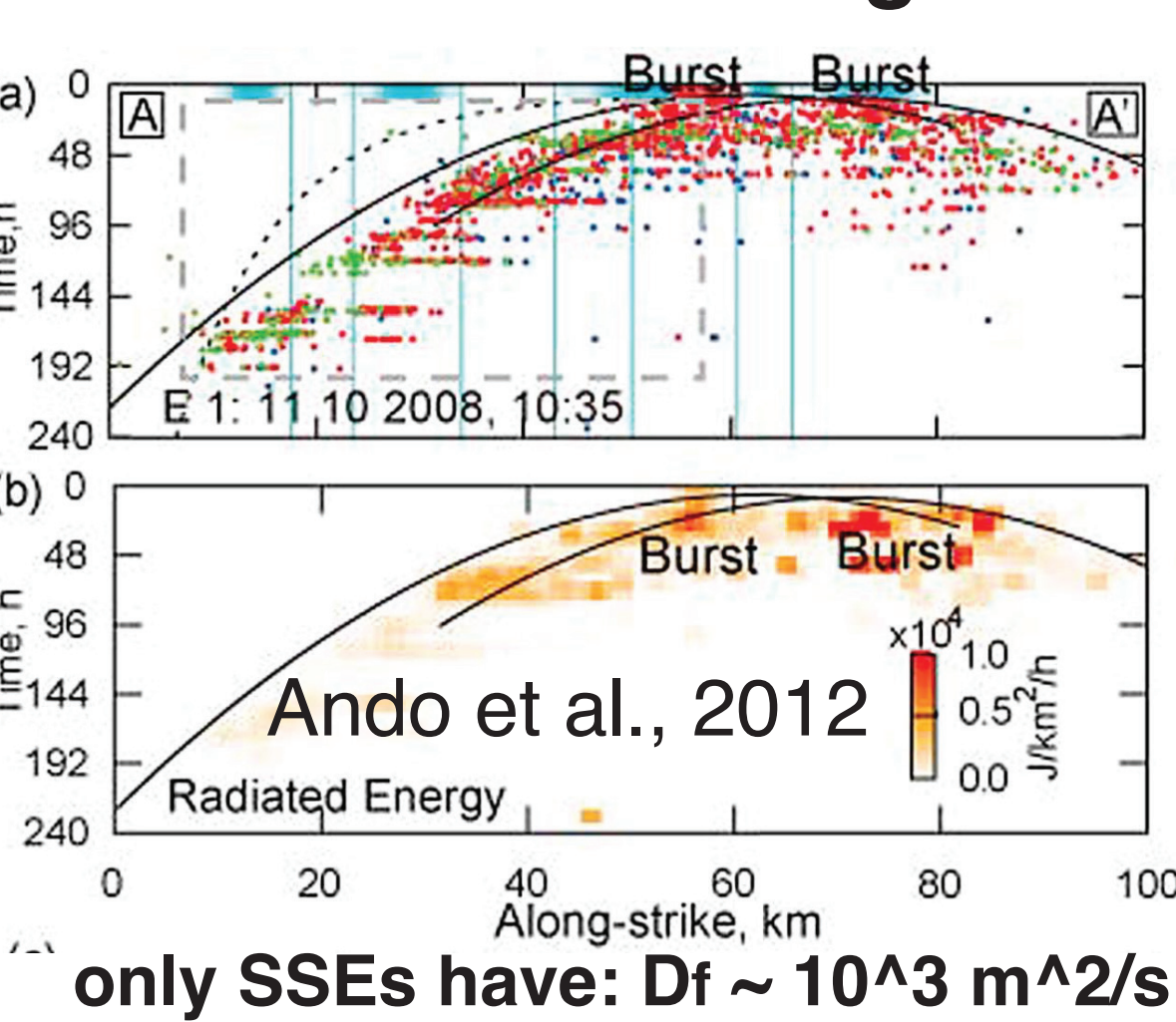


Inter-events interval



Behr & Bürgmann, 2021; Michel et al., 2019

Diffusive tremor migration



only SSEs have: $D_f \sim 10^3 \text{ m}^2/\text{s}$