

Can magnetic fabrics distinguish between aseismic and seismic slip along faults?

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Abstract

A long-standing problem in paleoseismic studies is to distinguish between aseismic and seismic slips along faults. We address this problem by characterizing the magnetic fabrics of rock samples around mesoscale normal faults of aseismic origin, and comparing them to those around co-seismic normal faults. Detailed sampling profiles along traverses, <0.2 m up to ~20 m from both sides of the faults, indicate symmetric and unchangeable magnetic fabrics of deformation origin that are coaxial with the regional strain field. These results are essentially different from magnetic fabrics detected around co-seismic normal faults, which show fault-related fabrics with asymmetric and changeable orientations. The analysis demonstrates two end-member cases of magnetic fabrics in association with aseismic and seismic slips along faults. We suggest that magnetic fabric analysis provides a powerful and efficient tool to characterize inelastic deformation around faults, enabling to distinguish between seismic and aseismic slip histories.



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Supporting Information for

Can magnetic fabrics distinguish between aseismic and seismic slip along faults?

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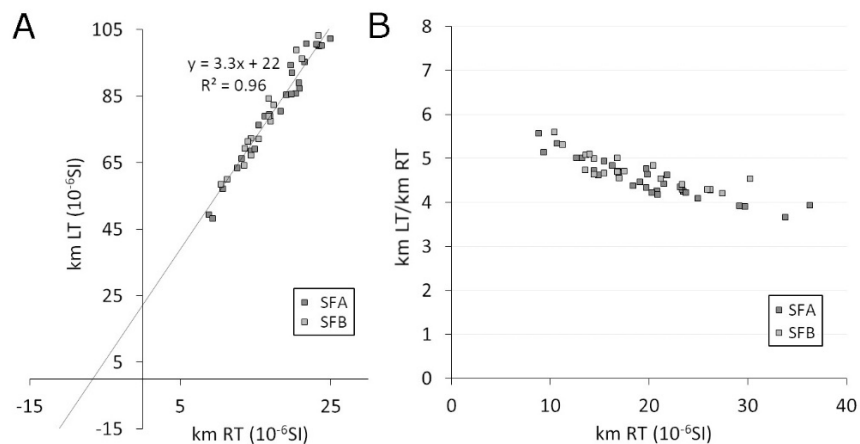


Figure S1. Room-temperature mean susceptibility (k_m^{RT}) and low-temperature mean susceptibility (k_m^{LT}) of chalk samples, indicating that paramagnetic and diamagnetic minerals are the main contributors to the rock mean susceptibility (see Issachar et al., 2018 for details). (A) k_m^{LT} versus k_m^{RT} plot showing a linear correlation with a slope of 3.3. (B) k_m^{LT}/k_m^{RT} versus k_m^{RT} plot showing an average amplification factor of 4.6 ± 0.4 .

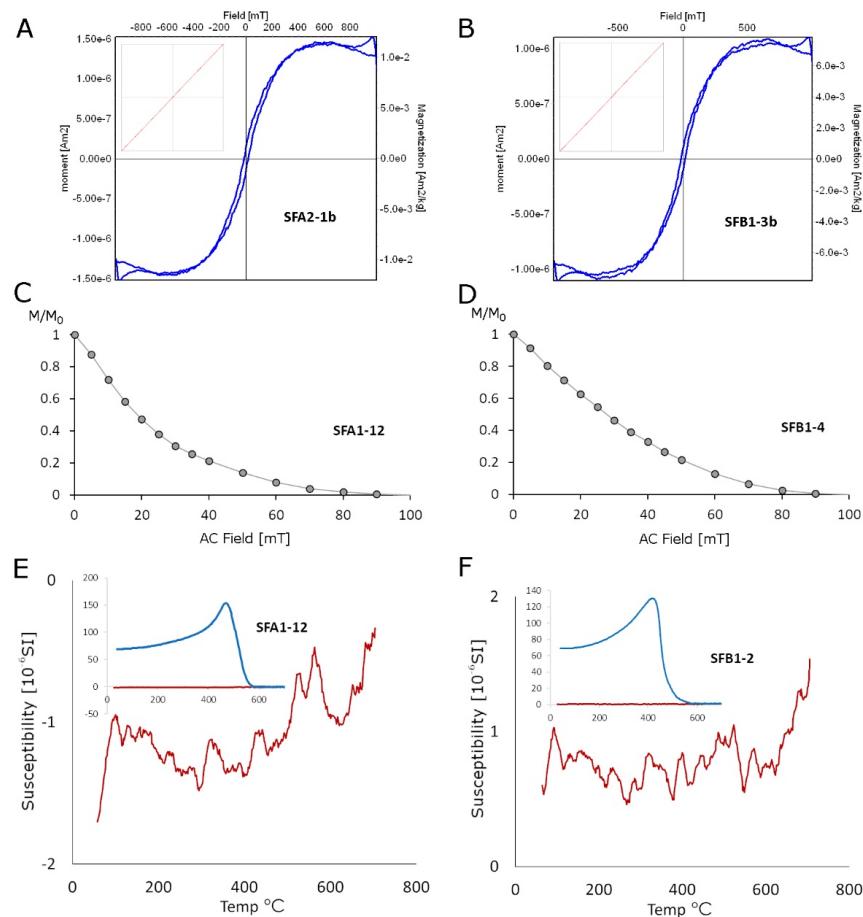


Figure S2. Magnetic mineralogy tests for representing samples. (A) and (B) Vibrating Sample Magnetometer (VSM) hysteresis loops. The raw data (red curves in the small boxes) indicates the dominance of paramagnetic minerals (positive slope) and negligible contribution of ferromagnetic minerals (linear slope). The slope-corrected data (blue curves) indicates the presence of low-coercivity ferromagnetic minerals. (C) and (D) Alternating Field demagnetization curves (AF curves). The samples were first magnetized by AC field of 100 mT and DC field of 500 μ T and then demagnetized in 5 mT steps. The curves indicate that most of the magnetic remanence (up to 90%) is lost by a demagnetization field of 60 mT, suggesting that mostly low-coercivity minerals carry the remanent magnetization. (E) and (F) Temperature-dependent susceptibility curves ($k(T)$). The susceptibility changes during heating (red curves) indicate slight variations, suggesting negligible contribution of ferromagnetic minerals. The cooling curves (blue) indicate substantial susceptibility increase at ~ 580 $^{\circ}$ C, suggesting the formation of magnetite.

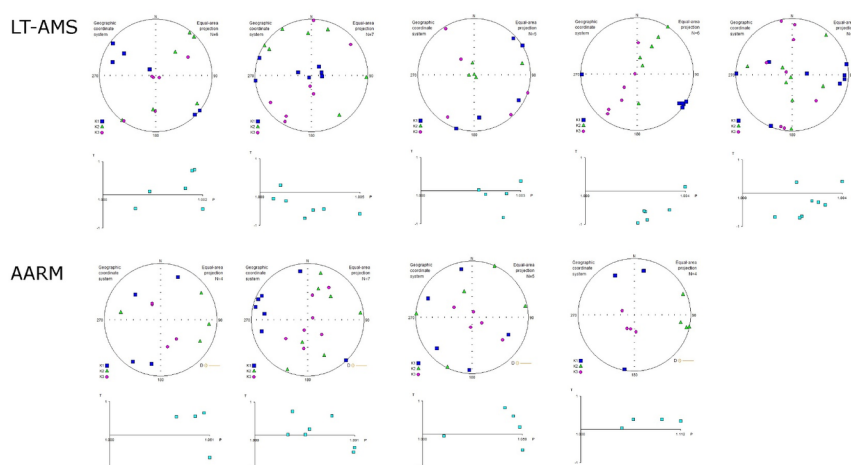


Figure S3. Fault A - LT-AMS and AARM magnetic fabrics. Stereoplots are lower-hemisphere, equal-area projection of principal axes.

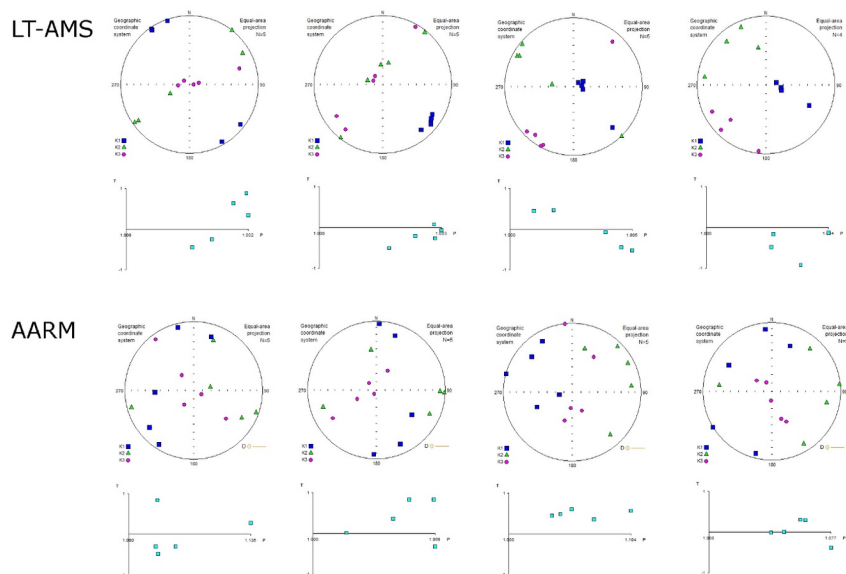


Figure S4. Fault B - LT-AMS and AARM magnetic fabrics. Stereoplots are lower-hemisphere, equal-area projection of principal axes.

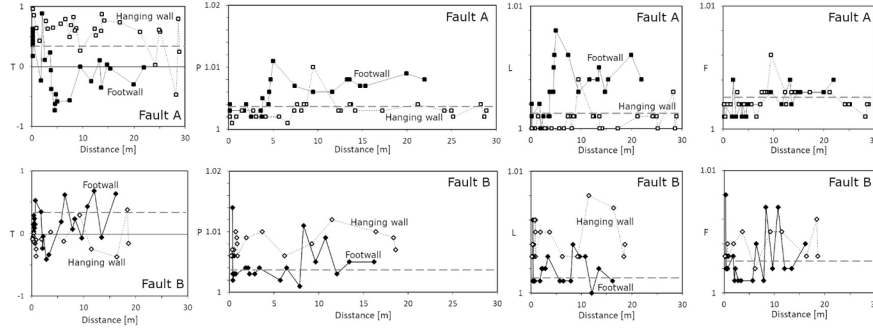


Figure S5. RT-AMS parameters shape of anisotropy (T), degree of anisotropy (P) magnetic lineation (L) and magnetic foliation (F) versus distance from footwall samples (black symbols) and hanging wall samples (empty symbols). Dashed lines represent the average values of the reference samples.

Table S1. Sampling and RT-AMS data including the distance of the sample from fault plane, mean susceptibility (k), shape of anisotropy (T), degree of anisotropy (P) magnetic lineation (L) and magnetic foliation (F). The coordinates of the faults are: Fault A (31.128362, 34.764077); Fault B (31.127435, 34.763659).

Fault	Block	Distance from fault plane (m)	k ($\times 10^{-6}$ SI)	P	T	L	F
Fault A	Hanging wall	28.9	18.1	1.003	0.243	1.008	1.005
		28.7	27.5	1.002	0.792	1.003	1.005
		28.3	16.4	1.004	-0.469	1.003	1.002
		25.2	20.2	1.002	0.581	1.005	1.005
		25.0	17.1	1.003	0.610	1.005	1.004
		24.2	13.9	1.003	0.027	1.003	1.003
		21.2	16.2	1.004	0.577	1.005	1.003
		17.3	17.7	1.003	0.734	1.006	1.003
		14.2	12.0	1.003	0.762	1.006	1.004
		13.7	9.9	1.004	0.869	1.003	1.003
		13.6	9.0	1.004	0.592	1.004	1.003
		12.6	12.6	1.003	0.515	1.003	1.003
		12.4	13.4	1.003	0.625	1.003	1.003
		9.5	6.0	1.01	0.261	1.004	1.003
		8.7	11.7	1.004	0.632	1.003	1.003
		8.5	10.8	1.004	0.599	1.003	1.003
		8.2	11.3	1.003	0.820	1.006	1.008
		7.7	12.6	1.004	0.688	1.001	1.002
		7.4	10.2	1.003	0.494	1.001	1.002
		6.6	24.4	1.001	0.786	1.001	1.002
Fault B	Footwall	5.7	16.0	1.002	0.711	1.001	1.002
		4.2	16.8	1.002	0.643	1.001	1.002
		3.1	15.5	1.002	0.630	1.001	1.002

Fault	Block	Distance from fault plane (m)	km ($\times 10^{-6}$ SI)	P	T	L	F
Fault B	Footwall	2.8	14.5	1.003	0.759	1.001	1.002
		1.5	19.1	1.003	0.424	1.001	1.002
		0.9	23.5	1.002	0.641	1.001	1.003
		0.4	29.8	1.001	0.852	1.002	1.001
		0.2	36.3	1.002	0.956	1.002	1.002
		<0.2	14.6	1.003	0.504	1.002	1.001
		<0.2	33.9	1.002	0.418	1.003	1.001
		<0.2	29.2	1.002	0.627	1.001	1.001
		<0.2	20.8	1.002	0.359	1.001	1.004
		<0.2	14.9	1.004	0.171	1.001	1.001
		<0.2	15.8	1.002	0.437	1.004	1.007
		<0.2	21.5	1.002	0.355	1.003	1.002
		<0.2	18.4	1.003	0.566	1.003	1.007
		<0.2	12.6	1.003	0.415	1.000	1.002
		<0.2	8.9	1.003	0.420	1.002	1.002
		1.8	10.7	1.003	-0.233	1.001	1.004
		2.0	16.9	1.004	0.882	1.003	1.002
		2.6	26.2	1.002	0.105	1.002	1.001
		3.6	21.8	1.003	0.230	1.002	1.003
		3.7	19.9	1.002	-0.062	1.001	1.003
		3.8	20.9	1.005	-0.376	1.001	1.001
		4.5	24.9	1.004	-0.729	1.002	1.001
		4.6	23.4	1.006	-0.626	1.001	1.004
		4.7	13.2	1.008	-0.463	1.001	1.003
		5.0	9.4	1.011	-0.582	1.001	1.003
		7.4	16.9	1.007	-0.565	1.000	1.003
		9.5	23.8	1.006	-0.004	1.001	1.004
		11.7	20.4	1.006	-0.246	1.000	1.003
		13.3	21.5	1.008	0.100	1.008	1.005
		13.6	19.8	1.008	-0.351	1.003	1.005
		14.8	23.2	1.007	0.032	1.003	1.002
		15.4	21.2	1.007	-0.033	1.005	1.005
		20.0	16.3	1.009	-0.302	1.005	1.004
		22.0	19.8	1.008	-0.015	1.003	1.003
	Hanging wall	18.6	26.3	1.007	-0.157	1.004	1.003
		18.4	20.4	1.009	0.383	1.003	1.006
		16.4	27.5	1.010	-0.370	1.007	1.003
		11.5	16.8	1.012	-0.247	1.008	1.005
		9.2	16.6	1.008	0.298	1.003	1.005
		6.2	30.3	1.006	-0.124	1.003	1.002
		3.7	18.3	1.010	0.026	1.005	1.005
		1.9	17.4	1.009	-0.087	1.005	1.004
		0.9	21.3	1.006	-0.098	1.003	1.003
		0.9	18.9	1.008	-0.358	1.005	1.003
		0.8	17.5	1.009	-0.246	1.006	1.003
		0.7	14.5	1.010	-0.157	1.006	1.004
		0.5	24.6	1.006	-0.145	1.003	1.003

Fault	Block	Distance from fault plane (m)	km ($\times 10^{-6}$ SI)	P	T	L	F
	Footwall	0.5	21.2	1.007	-0.123	1.004	1.003
		0.4	26.0	1.006	0.001	1.003	1.003
		0.3	23.3	1.006	-0.042	1.003	1.003
		0.3	23.4	1.007	-0.123	1.004	1.003
		0.2	25.9	1.006	-0.074	1.003	1.003
		0.2	25.7	1.006	-0.090	1.003	1.003
		0.3	3.8	1.014	0.150	1.006	1.008
		0.4	14.5	1.003	0.034	1.001	1.002
		0.4	15.5	1.002	0.290	1.001	1.002
		0.5	13.6	1.003	0.097	1.001	1.002
		0.5	13.7	1.003	0.239	1.001	1.002
		0.5	14.5	1.003	0.084	1.001	1.002
		0.5	16.3	1.003	0.241	1.001	1.002
		0.7	17.0	1.003	0.148	1.001	1.002
		0.7	16.8	1.003	0.529	1.001	1.002
		1.8	13.6	1.004	0.349	1.001	1.003
		2.1	10.4	1.004	-0.234	1.002	1.001
		2.2	11.3	1.003	-0.043	1.002	1.002
		2.8	14.0	1.003	-0.409	1.002	1.001
		3.3	12.2	1.004	-0.338	1.003	1.001
		5.7	14.8	1.002	0.190	1.001	1.001
		6.4	4.2	1.004	0.621	1.001	1.004
		7.9	26.7	1.001	0.069	1.001	1.001
		8.3	6.0	1.011	0.234	1.004	1.007
		9.7	17.7	1.005	-0.074	1.003	1.002
		10.8	8.8	1.009	0.434	1.003	1.007
		12.0	28.6	1.003	0.683	1.000	1.002
		13.4	32.3	1.005	-0.058	1.002	1.002
		16.2	10.0	1.005	-0.157	1.001	1.004
		>50	13.3	1.005	0.551	1.001	1.004
Reference samples	Reference samples	>50	15.3	1.004	0.488	1.001	1.003
		>50	25.7	1.004	0.657	1.001	1.003
		>50	35.1	1.003	0.766	1.000	1.003
		>50	18.0	1.005	0.529	1.001	1.004

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Key Points

(1) Magnetic fabrics are analyzed near faults in order to distinguish between aseismic and seismic slips.

(2) Analysis demonstrates two end-member types of magnetic fabrics - symmetric and unchangeable vs. asymmetric and changeable.

(3) Magnetic fabrics near aseismic and seismic faults are different and enable to distinguish between slip histories.

Abstract

A long-standing problem in paleoseismic studies is to distinguish between aseismic and seismic slips along faults. We address this problem by characterizing the magnetic fabrics of rock samples around mesoscale normal faults of aseismic origin, and comparing them to those around co-seismic normal faults. Detailed sampling profiles along traverses, <0.2 m up to ~20 m from both sides of the faults, indicate symmetric and unchangeable magnetic fabrics of deformation origin that are coaxial with the regional strain field. These results are essentially different from magnetic fabrics detected around co-seismic normal faults, which show fault-related fabrics with asymmetric and changeable orientations. The analysis demonstrates two end-member cases of

magnetic fabrics in association with aseismic and seismic slips along faults. We suggest that magnetic fabric analysis provides a powerful and efficient tool to characterize inelastic deformation around faults, enabling to distinguish between seismic and aseismic slip histories.

Plain Language Summary

A long-standing problem in the study of Earth's deformation is to differentiate between faults that originate during earthquake events (seismic faults) and those that are creeping due to long-lasting, regional stresses (aseismic faults). We address this problem by characterizing the magnetic fabrics of rock samples around faults of aseismic origin and compare them with magnetic fabrics around faults of seismic origin. The magnetic fabrics mimics the distribution of minerals and grains in the rocks, and, hence, are commonly served as a tool to detect "order" and "disorder" in rocks. The results indicate that around the aseismic faults the magnetic fabrics are uniform and reflect the large-scale regional deformation, whereas around the seismic faults the magnetic fabrics are changeable and reflect the local deformation along the faults. Since all the faults were formed under similar sedimentary conditions, we demonstrate two end-member cases of magnetic fabrics in association with aseismic and seismic slips along faults. We suggest that magnetic fabric analysis provides a powerful and efficient tool to characterize inelastic deformation around faults, enabling us to distinguish between seismic and aseismic slip histories.

1. Introduction

Faults are common geological features reflecting deep and shallow crustal processes and, as such, are used to decipher different geological environments. Faults accumulate displacement by slow aseismic slip (creep) at plate tectonic rates (10^{-12} to 10^{-10} m/s) or by fast seismic slip of earthquake rates (10^{-4} to 10 m/s). There are several suggested criteria to recognize seismic slip along faults, including pseudotachylytes that form during frictional heating, pulverized rocks that form by transient stresses at the rupture tip (Rowe and Griffith, 2015), and fault-related texture of hematite (Ault, 2020). Nevertheless, seismic slip does not necessarily leave distinct petrological traces in the host rock, especially in cases where the rupture reaches close to the surface. The characteristics of host-rock deformation around faults have the potential to categorize their associated slip histories (Faulkner et al., 2010). Inelastic deformation within the host rock is expected to form already before and during the early stages of fault formation and growth (Anderson, 1951; Scholz, 2002). Field observations (e.g., Kim et al., 2004; Crider and Peacock, 2004; Di Toro et al., 2005; Faulkner et al., 2010), models of quasi-static (e.g., Pollard and Segall, 1987) and dynamic rupturing (Ben-Zion and Shi, 2005; Johri et al., 2014) show that zones of inelastic deformation develop around propagating faults for both aseismic and seismic slips, but in different ways (e.g., Faulkner et al., 2010). In the aseismic case, inelastic deformation would develop on both sides of the fault (i.e., symmetrical deformation), and might be related to the regional strain field (Figure 1a.1; e.g. Peng and Johnson, 1972). Alternatively, the aseismic slip would lack a prominent fault-related deformation zone (Figure 1a.2). In the seismic case, inelastic deformation would form mainly on one side of the fault (i.e., asymmetrical deformation), with relation to changeable stress field due to fault directivity and strain perturbations (Figure 1b; Ben-Zion and Shi, 2005; Ma and Andrews, 2010; Johri et al.,

2014). The potential of distinguishing between seismic and aseismic slips by characterizing the geometry and distribution of the deformation around faults was previously explored mainly by the distribution of brittle deformation markers such as veins, joint sets or microcracks (Faulkner et al., 2010), yet it is not always clear which marker best portrays the zone of inelastic deformation.

In this study, we characterize the zone of inelastic deformation around faults using anisotropy of magnetic susceptibility (AMS)-based magnetic fabric analysis, aiming to distinguish between aseismic and seismic origins of the faults. The AMS analysis has commonly been used for quantifying inelastic deformation in sedimentary rocks (Parés, 2015). The magnetic fabrics reflect the preferred alignment of crystals and grain shapes within a rock sample and, as such, provide a powerful tool to characterize intrinsic deformation on a grain scale (Borradaile and Jackson, 2010; Weinberger et al., 2017). Various intra- and inter-crystalline deformation mechanisms contribute to the AMS, such as grain boundary sliding, dislocation glide, twinning, and kinking (Evans et al., 2003). These mechanisms produce irreversible deformation without destruction of the lattice integrity, and thus, magnetic fabrics provide a sensitive tool to assess inelastic deformation even prior to the development of macroscopic brittle deformation (e.g., Larrasoña et al., 2011). Another chief advantage of the AMS analysis for petrofabric characterization is the averaging out of large numbers of grains over the whole volume of the sample ($\sim 10 \text{ cm}^3$).

Previous works showed that magnetic fabrics in fault zones may developed during slow geological processes as well as short and fast events such as earthquakes (Levi et al., 2006, 2014; Casas-Sainz et al., 2018; Marcén et al., 2019; Elhanati et al., 2020). To test the applicability of AMS to diagnose aseismic and seismic slips, we compare the magnetic fabrics around faults of

two end-member origins: (1) faults of known aseismic slip that represent slow and shallow crustal deformation (Figure 1a), and, (2) faults of proven seismic slip origin that represent earthquake-driven fast crustal deformation (Figure 1b). Levi et al. (2014) and Elhanati et al. (2020) show that magnetic fabrics near co-seismic normal faults within the seismically-active Dead Sea Fault (DSF) system indicate fault-related magnetic fabrics, explained in terms of dynamic rupturing. In this study, we characterize the magnetic fabrics near normal faults that represent shallow crustal deformation of aseismic origin. The comparison of the magnetic fabrics around these two end-member types of faults allows us to test the hypothesis that the zone of inelastic deformation around aseismic and seismic faults is essentially different and can be distinguished by AMS analysis.

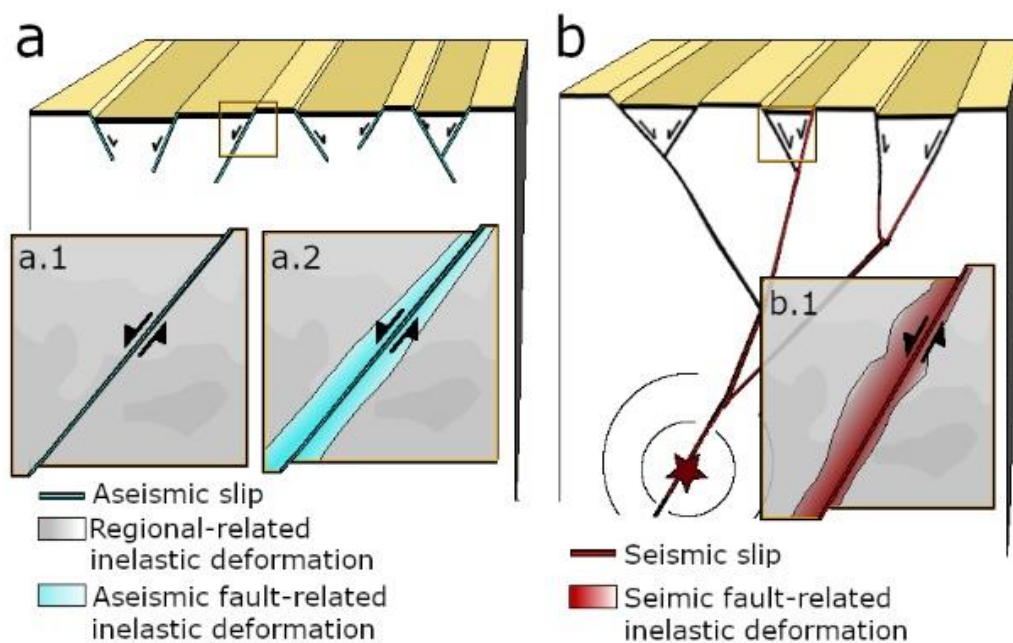


Figure 1. Structural setting of two end member types of faults and their associated inelastic deformation: (a) Faults of aseismic origin represent shallow crustal deformation with regional strain-related inelastic deformation (a.1), or fault-related inelastic deformation distributed symmetrically on both sides of the fault (a.2). (b) Faults of seismic origin connected to a deep-seated hypocenter. The red

lines represent rupture propagation during a single event. Fault-related deformation is distributed asymmetrically along one side of the fault.

2. Magnetic Fabrics

Magnetic fabrics describe the rock magnetic susceptibility tensor (\mathbf{k}) with maximum, intermediate, and minimum principal susceptibility axes - \mathbf{K}_1 , \mathbf{K}_2 , and \mathbf{K}_3 , respectively, which correspond to $k_1 \geq k_2 \geq k_3$ eigenvalues (Rochette et al., 1992; and reference therein). Studies of the magnetic fabrics of weakly deformed sedimentary rocks indicate that the orientation of the principal susceptibility axes (AMS axes) are related and coaxial to the principal strain (or stress) axes. Under sedimentary and compaction processes, \mathbf{K}_3 axes align perpendicular to bedding and \mathbf{K}_2 and \mathbf{K}_1 axes are scattered on a plane parallel to bedding (Type I, deposition and compaction; Parés, 2015). In weakly tectonically deformed rocks, \mathbf{K}_1 axes are often oriented along the intersection of bedding and the tectonic flattening plane, whereas \mathbf{K}_3 axes align perpendicular to bedding (Type II, deformation). During slow progressive deformation, the magnetic fabrics often show clusters of all three principal axes, and the \mathbf{K}_1 , \mathbf{K}_2 , and \mathbf{K}_3 axes are coaxial with the minimum (ϵ_3), intermediate (ϵ_2) and maximum (ϵ_1) shortening axes, respectively (Type III, deformation; Borradaile and Jackson, 2010).

We use AMS data measured at room temperature (RT-AMS) as the main method for characterizing the magnetic fabrics of the chalk sample. RT-AMS was measured at a low magnetic field of 450 A/m and a frequency of 976 Hz with a KLY-4S Kappabridge (AGICO Inc.) at the Geological Survey of Israel. To correlate the RT-AMS with specific minerals, we use several experimental techniques, including measurements of AMS at low temperatures of ~77 K (LT-AMS), anisotropy of anhysteretic remanence magnetization (AARM), vibrating sample magnetometer (VSM) hysteresis loops, alternating field demagnetization curves (AF curves) and

temperature-dependent ($k_{(T)}$) susceptibility measurements. Experiments were performed at the Geological Survey of Israel and at the Institute for Rock Magnetism, University of Minnesota. The parameters used to characterize the magnetic fabrics, including the mean susceptibility ($k_m=[k_1+k_2+k_3]/3$), degree of anisotropy ($P=k_1/k_3$), shape of anisotropy ($T=\ln(F)/\ln(L)/\ln(F)+\ln(L)$), magnetic lineation ($L=k_1/k_2$) and magnetic foliation ($F=k_2/k_3$) were calculated according to Jelinek (1981) using the Anisoft 4.2 software package (www.agico.com).

3. Geologic Setting and Sampling

We study two normal faults of aseismic origin within the Beer Sheva syncline. The syncline is an approximately 100 km-long, ~35 km-wide that was formed during the Eocene under long-lasting compressional regional stress field of NW maximum horizontal compression, denoted $\sigma_{H_{NW}}$ (Figure 2b) (Bahat, 1988; Levi et al., 2019). The Beer Sheva syncline is located within the Sinai subplate and is spatially remote (60 km) from the active DSF system and any other known active faults (Figure 2a) (Kurzon and Wetzler, 2019). Faults and joint sets were formed during burial in the poorly consolidated pelagic chalk sediments at shallow depths (Buchbinder et al., 1988) and represent paleostress regimes that are associated with the formation and uplift episodes of the syncline (Bahat et al., 2005).

The studied faults (hereafter Fault A and Fault B) are exposed along the banks of Secher Creek at the Beer Sheva syncline and are located ~120 m apart (Figure 2c). The faults cut chalks of the middle Eocene Maresha Formation (Figure 2d) (Buchbinder et al., 1988). The ~10 m exposed surfaces of the faults are accompanied by a few mm of fine-grained gouge layers. The faults trend differently with an angle of 90° between their strikes: Fault A dips NW (52°/310°; dip/dip direction) and is striking subparallel to the syncline axis; Fault B dips NE (41°/040°) and is striking perpendicular to the syncline axis (Figure 2c and figure 3). The throw of both faults is

approximately 3.5 m. The faults are considered to form under wet conditions in the early burial stages of the chinks during the formation of the Beer Sheva syncline (Buchbinder et al., 1988).

The studied chinks of the Maresha Formation have high porosity (>20%) (Palchik & Hatzor, 2002) and may contain up to 25% clay fraction (Nathan and Flexer, 1977). A previous AMS and rock magnetic study of this formation demonstrates that the rocks contain pure diamagnetic carbonate coccolith as the rocks matrix, paramagnetic clays (palygorskite and smectite), and minor quantities of low-coercivity ferromagnetic Fe oxides (Issachar et al., 2018).

To construct the magnetic fabric profiles, we collected standard (25x25 mm) cylindrical core samples along horizontal cross-sections, <0.2 m up to ~20 m from both sides of the tested faults (Figure 2c). In addition, we sampled a reference outcrop, located ~50 m away from the faults (Figure 2c). By this strategy, we provide a high-resolution “continuous” view of the inelastic strain field around the faults. The sampling strategy allows us to diagnose three different scenarios of magnetic fabrics: (1) regional-related fabrics, that are uniformly distributed on both sides of the tested faults; (2) fault-related fabrics that are symmetrically distributed on both sides of the fault with similar orientations of AMS axes within each block (i.e., unchangeable distribution); and (3) fault-related fabrics that are developed asymmetrically mainly on one side of the fault with varying orientations of AMS axes (i.e., changeable distribution).

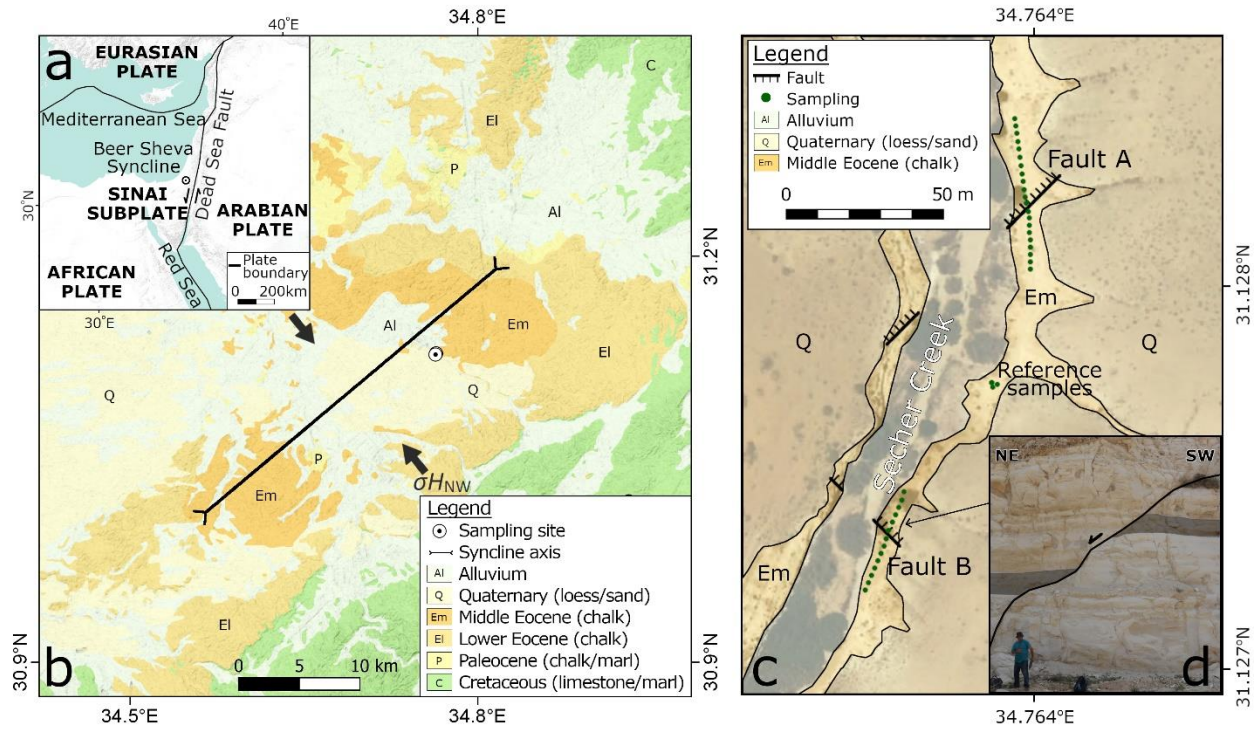


Figure 2. (a) General tectonic map of the study area. The circle marks the location of Beer Sheva syncline. (b) Geological map of the Beer Sheva syncline, showing Cretaceous to Quaternary strata (after Sneh et al., 1998), the syncline axis (after Bahat et al., 2005) and the direction of the regional stress field of $\sigma_{H_{NW}}$. (c) Detailed geological map of the study area, showing the fault traces cutting the middle Eocene strata and the distribution of the samples next to the faults (for more details see supporting information Table S1). (d) Photograph of Fault B showing an apparent fault dip and throw.

4. Results and Discussion

RT-AMS measurements of 111 chalk samples near the two tested faults indicate a narrow range of susceptibility values between 4 and 36 ($\times 10^{-6}$ SI) with a mean of 17 ± 7 ($\times 10^{-6}$ SI). The narrow range of the susceptibility values indicates that the samples has uniform mineralogy. The LT-AMS mean susceptibility value is 88 ± 21 ($\times 10^{-6}$ SI), indicating amplification factors of 4.6 ± 0.4 (supporting information Figure S1), and suggests that both paramagnetic and diamagnetic minerals contribute to the rocks susceptibility (Issachar et al., 2018). VSM hysteresis loops indicate positive linear response between -1 and 1 T. Yet, slope-corrected curves suggest minor

presence of low-coercivity ferromagnetic minerals. AF demagnetization curves indicate that most of the remanent magnetization (up to 90%) is lost by a demagnetization field up to 60 mT, suggesting that mostly low-coercivity minerals carry the remanent magnetization. Temperature-dependent susceptibility curves indicate minor susceptibility changes during heating, suggesting minor contribution of ferromagnetic minerals to the rocks susceptibility. Hence, we conclude that the rocks predominantly contain diamagnetic carbonate minerals and paramagnetic clay minerals with negligible presence of ferromagnetic minerals (supporting information Figure S2), in accordance with previous magnetic fabrics of chalks from the area (Issachar et al., 2018).

LT-AMS and AARM fabrics show insignificant anisotropy and inconsistent orientations of susceptibility axes, suggesting that neither paramagnetic nor ferromagnetic minerals are the carriers of the RT-AMS (supporting information Figure S3 and Figure S4). The insignificant anisotropies of the LT-AMS and AARM, the negligible ferromagnetic contribution and the dominance of diamagnetic minerals (i.e., calcite) suggest that the RT-AMS is controlled by the orientation distribution of the diamagnetic calcite minerals. Previous studies have shown that the orientation of the AMS axes of calcite are sensitive strain indicators with \mathbf{K}_3 axes parallel to the compaction/shortening direction (e.g., Owens and Rutter, 1978; de Wall et al., 2000; Almqvist et al., 2010; Issachar et al., 2018).

The orientation of the AMS axes of the studied chalk samples indicate deformation fabrics of Type II, which is characterized by tight clusters of \mathbf{K}_3 axes oriented sub-perpendicular to bedding, and moderate to tight clusters of \mathbf{K}_1 and \mathbf{K}_2 axes within the bedding plane (Figure 3). The AMS axes of samples collected from distance of <0.2 m up to 20 m from both sides of the tested faults, as well as from the reference outcrop have similar and consistent orientations with NE-SW trending \mathbf{K}_1 axes and NW-SE trending \mathbf{K}_2 axes (Figure 3). The \mathbf{K}_1 and \mathbf{K}_2 axes are

syncline parallel and syncline perpendicular, respectively, and are compatible with the syncline-driven σH_{NW} stress field. Notably, irrespective to the attitude of the faults, the AMS axes around them are similar and parallel to the syncline axes. In that sense, the AMS axes indicate uniform, unchangeable distribution of inelastic deformation that is associated with the regional stress field. The anisotropy P and shape T have values of 1.005 ± 0.003 and of 0.2 ± 0.4 , respectively (supporting information Figure S5 and Table S1). The AMS parameters show perceptible differences between the blocks of the faults (supporting information Figure S5). The parameters P and L have higher values in the footwall of Fault A and in the hanging wall of Fault B. The shape of anisotropy is oblate ($T \sim I$) in the hanging wall of Fault A and is neutral ($T \sim 0$) in its footwall and in both blocks of Fault B. The F parameter shows no significant differences between the blocks. The variations in the AMS parameters may imply that strain magnitudes locally develop differently between the faulted blocks.

Fault observations and experiments show that inelastic deformation develops in association with the regional stress field prior to host-rock faulting (e.g., Scholz, 1968; Mollema and Antonellini, 1999; Wilson et al., 2003; Crider and Peacock, 2004; Paterson and Wong, 2005; Blenkinsop, 2008). The faults of the current study are considered to form under wet conditions in the early burial stages of the chinks (Buchbinder et al., 1988). The low strength of the chinks at the time of the syncline formation could explain the absence of prominent fault-related deformation during aseismic (i.e., creeping) slips on the faults. Hence, we suggest that the AMS axes represent the regional stress (strain) field during the formation of the syncline and were already acquired prior to the formation of the faults.

Contrary to the present findings, AMS studies of co-seismic faults within the active DSF system infer prominent fault-related magnetic fabrics (Levi et al., 2014; Elhanati, 2019). Figure 4

presents the AMS results near two tested normal faults of a proven seismic origin (Marco et al., 1996). The faults cut late Pleistocene soft sediments in the Masada Plain, Israel and are associated with throw of ~2 m that occurred during single earthquake events (Marco and Agnon, 2005). The two tested faults were propagated throughout low-strength sediments, close to the surface and under wet conditions (Marco et al., 1996). Several AMS characteristics are well explained in terms of dynamic rupturing: (1) fault-related fabrics are asymmetrically distributed between the fault blocks; (2) the orientation of AMS axes is changeable and occasionally compatible with the principal strain directions defined by the fault focal-plane solutions; and (3) the width of the deformation AMS fabric zone is roughly similar to the amount of displacement during a single slip event. The faults in the Beer Sheva syncline and in the DSF system are comparable as they have similar throw and were developed in low strength carbonate sediments at shallow depth under wet conditions. The comparison of the magnetic fabrics of these two end-member type of faults shows clearly that only the seismic faults form a prominent fault-related magnetic fabrics (Figure 5a and Figure 5c). Nevertheless, we do not dispute the possible formation of fault-related magnetic fabrics around aseismic faults that would differ from those around seismic faults (Figure 5b).

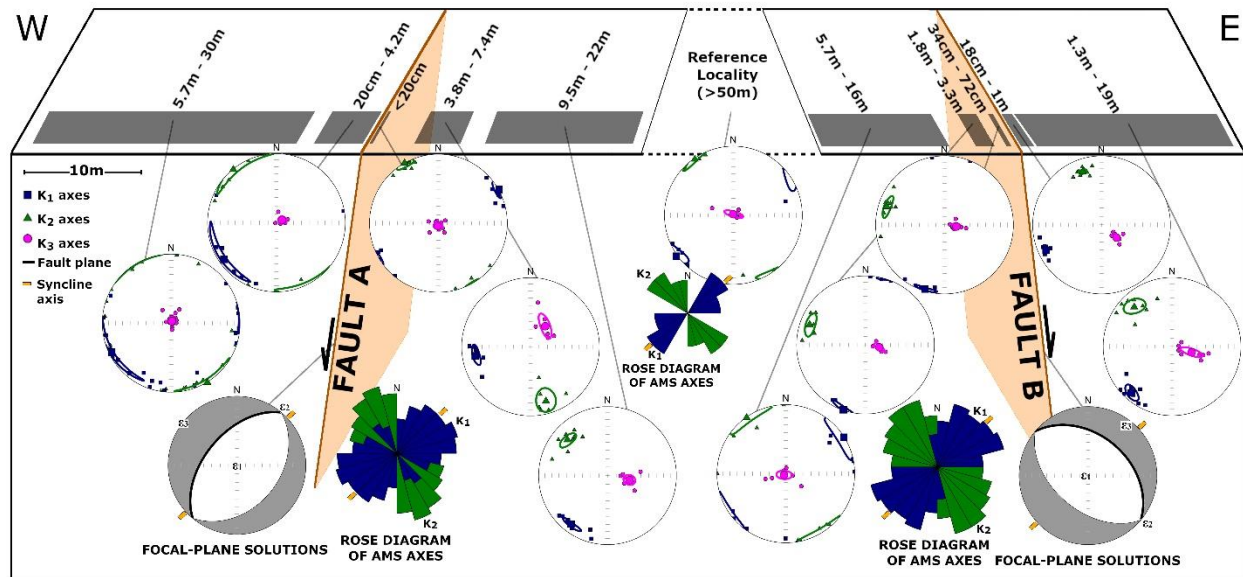


Figure 3. RT-AMS magnetic fabrics from sites at varied distances from aseismic faults (Fault A and Fault B) in the Beer Sheva syncline. Stereoplots are lower-hemisphere, equal-area projection of AMS principal axes, and the 95% confidence ellipses. The AMS axes show clustering of three principal axes indicating deformation origin. Rose diagrams show that the **K₁** axes trend NE-SW parallel to the syncline axis (yellow line), and the **K₂** axes trend NW-SE perpendicular to the syncline axis. Focal-plane solutions for the studied normal faults are indicated with ϵ , ϵ_2 , and ϵ_3 are the infinitesimal maximum, intermediate and minimum principal strain axes, respectively.

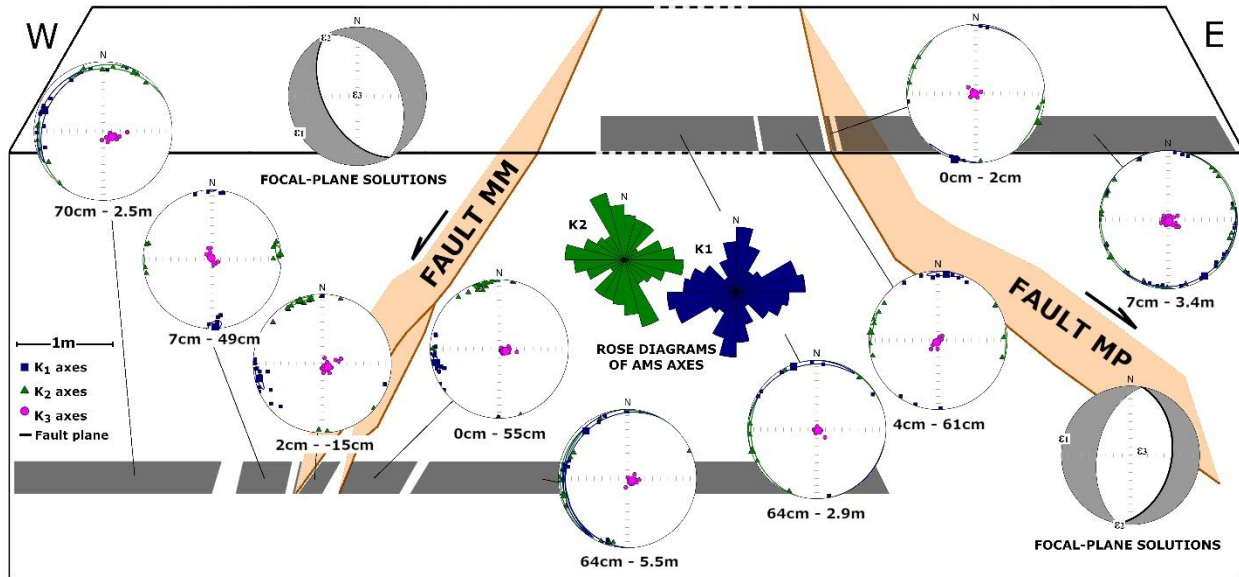


Figure 4. RT-AMS magnetic fabrics from sites at varied distances from co-seismic faults (Fault MM and Fault MP) in the Dead Sea Fault system, after Levi et al. (2014). The AMS axes show changeable orientations and asymmetrically distribution between the fault blocks. See Figure 3 for definition of stereoplots and focal-plane solutions.

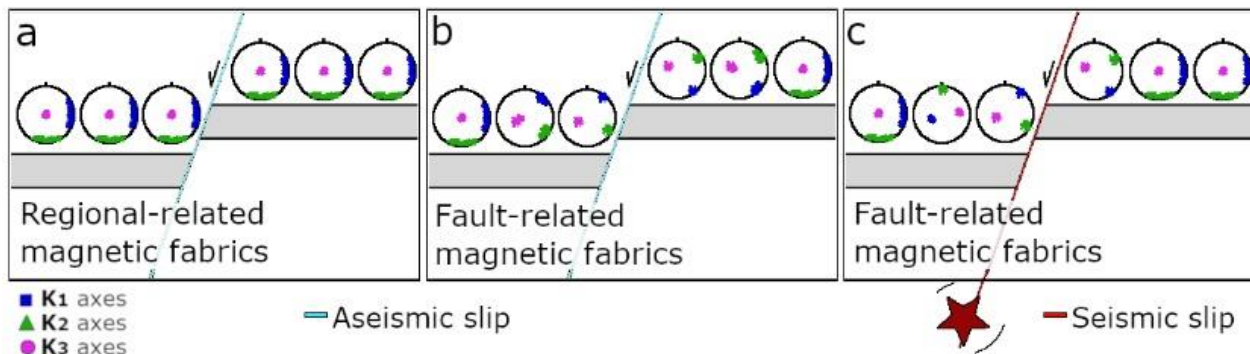


Figure 5. Conceptual model for AMS axes around faults. (a) Fault of aseismic origin showing AMS axes that are related only to the regional strain field. (b) Fault of aseismic origin with fault-related AMS axes on both sides of the fault, indicating an unchangeable strain field in each block. (c) Faults of seismic origin showing fault-related AMS axes mainly on one side of the fault, which indicate a changeable strain field. Note that away (>50 m) from the faults in (b) and (c), the magnetic fabrics could be of type I (deposition, compaction).

5. Conclusions

We measured the magnetic fabrics around two mesoscale faults of aseismic origin. The results show robust and consistent magnetic fabrics of deformation origin, implying that AMS provides a sensitive deformation marker to study inelastic deformation in the host rock. The orientation of the AMS axes indicate symmetric and unchangeable magnetic fabrics of deformation origin on both sides of the studied faults, showing a strong association with the syncline axis and the regional strain field. The symmetrical and unchangeable regional-related magnetic fabrics are compatible with observations and models of strain field around aseismic fault formation. The present results were compared with previous magnetic fabric around co-seismic faults that also formed in low strength sediments at shallow depths under wet conditions. Next to these fault, the magnetic fabrics are changeable and asymmetrically distributed. In light of the current results and previous aforementioned magnetic fabric studies, we suggest that magnetic fabric analysis provides a powerful and sensitive tool to characterize inelastic deformation around faults. We highlight the new possibility of using magnetic fabric analysis to distinguish between aseismic and seismic slip histories.

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The data used in this paper are available for download at:

<https://figshare.com/s/c6331844fa5cdf0580c5>.

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